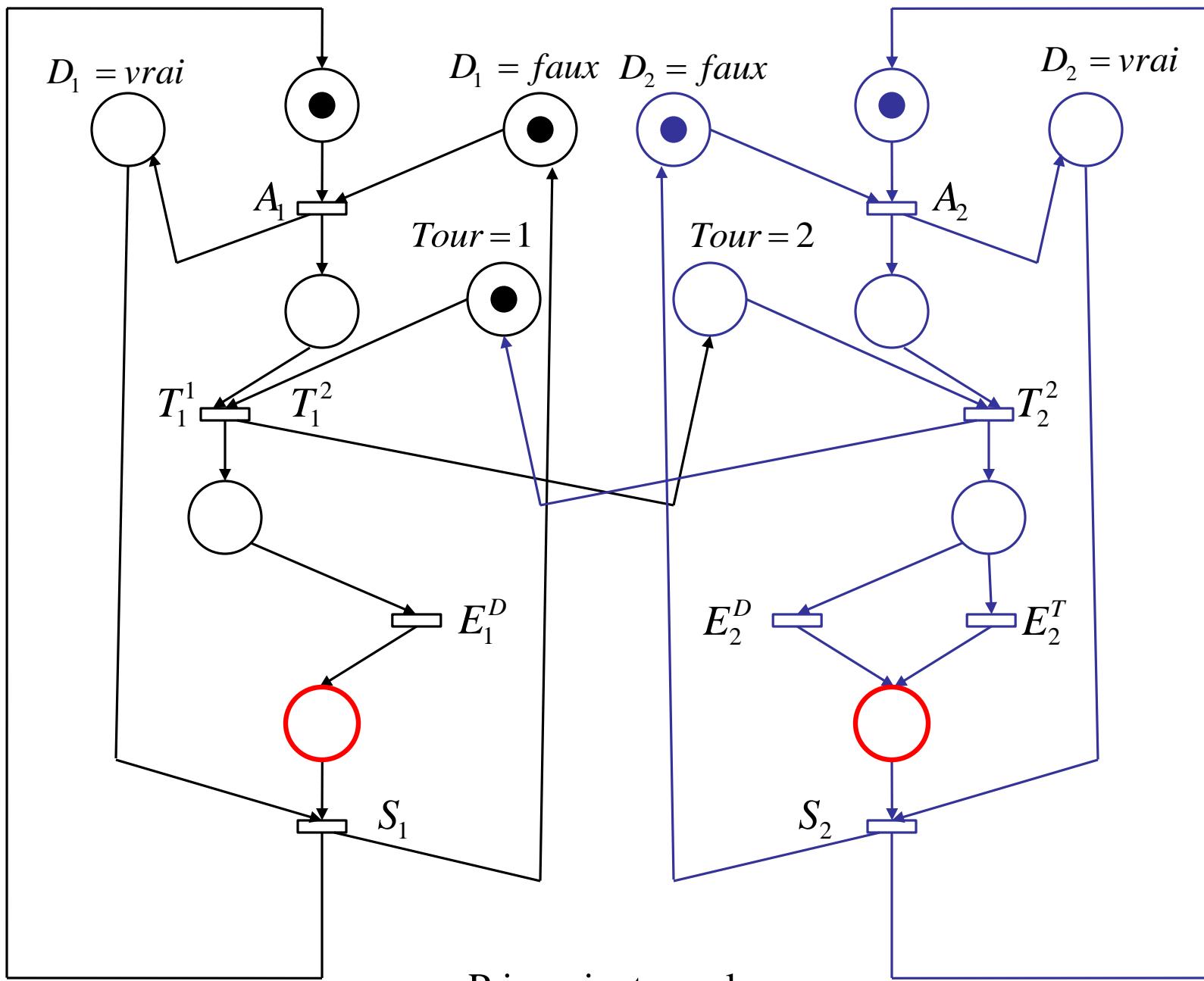
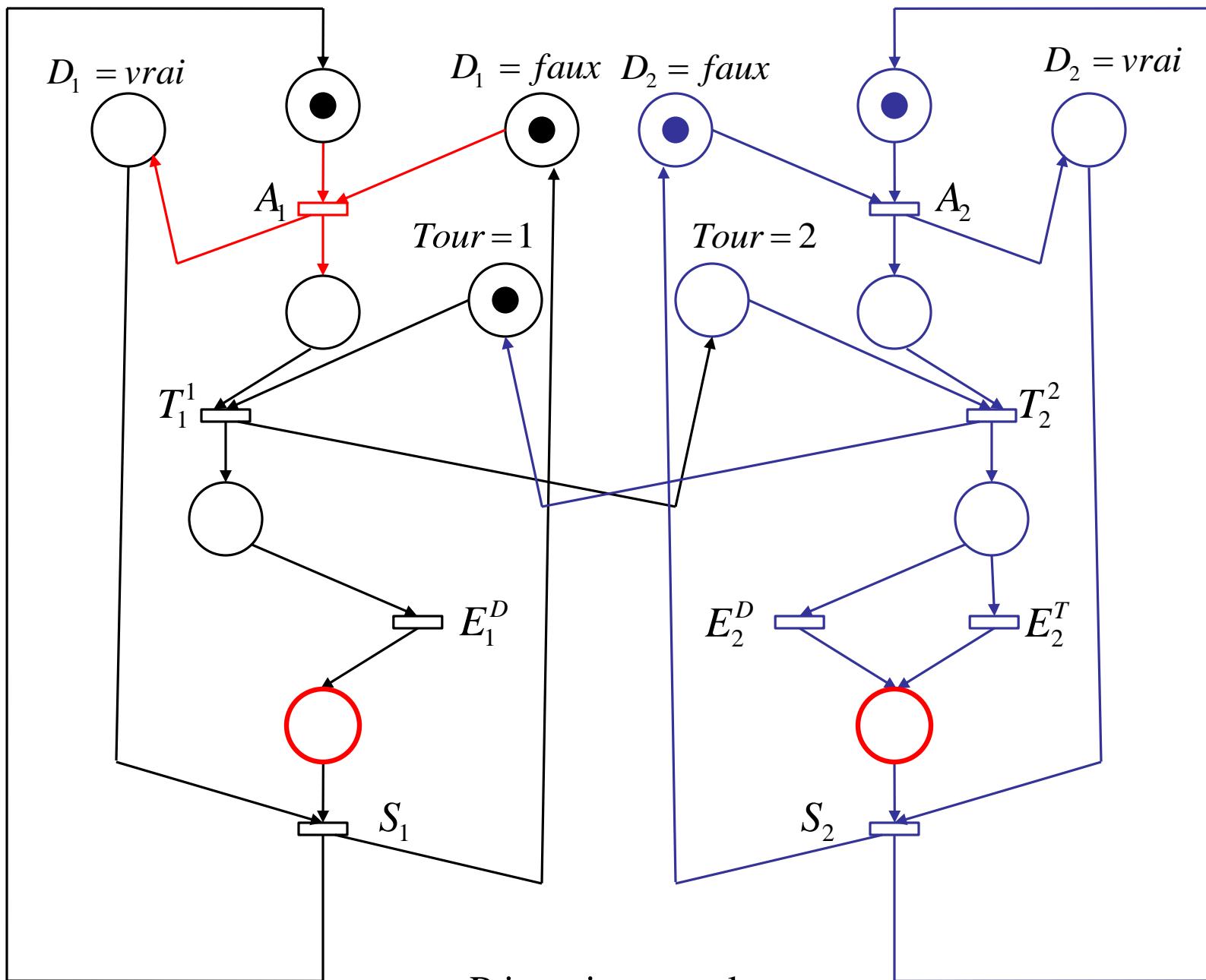


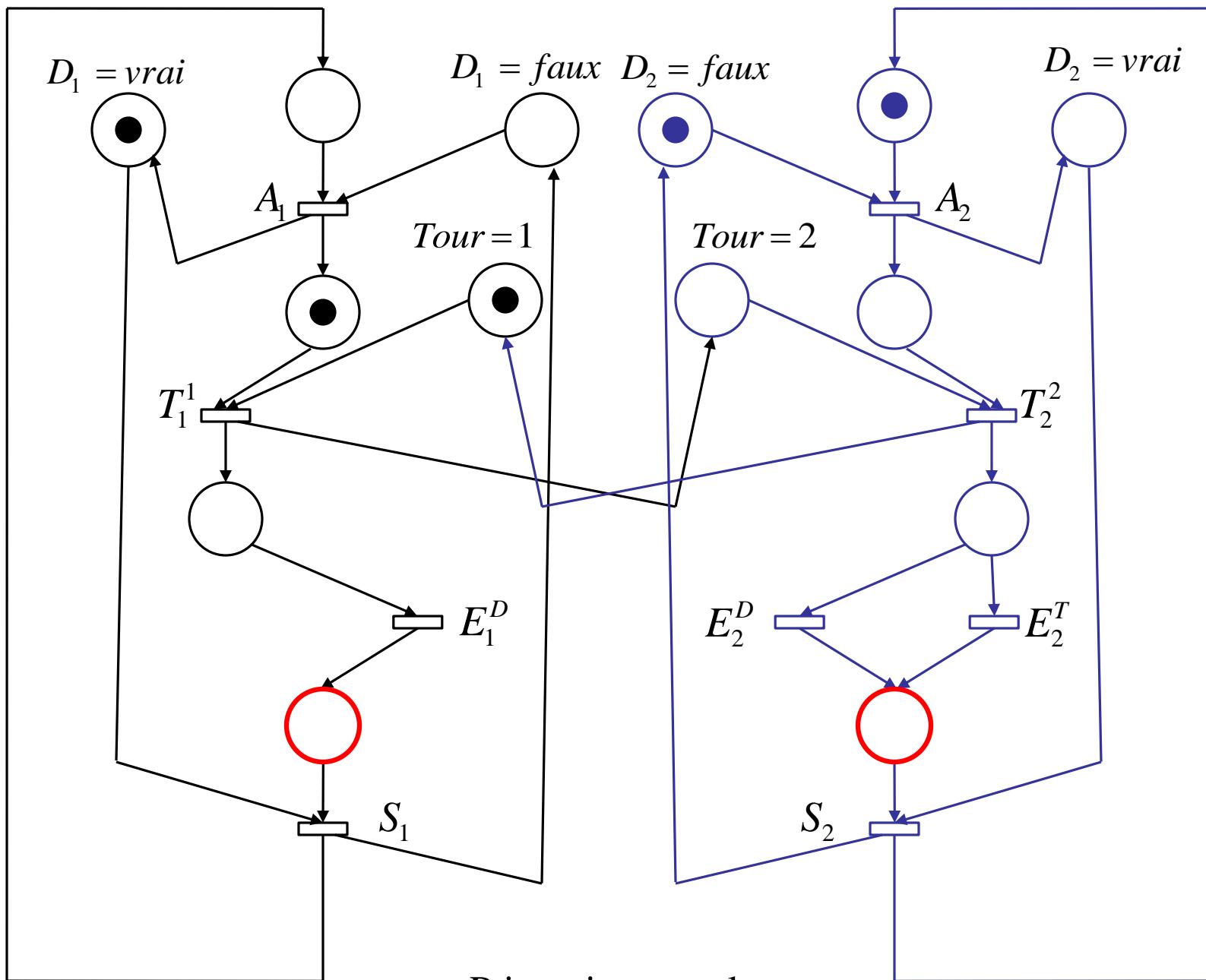
L'exclusion mutuelle est-elle garantie ?



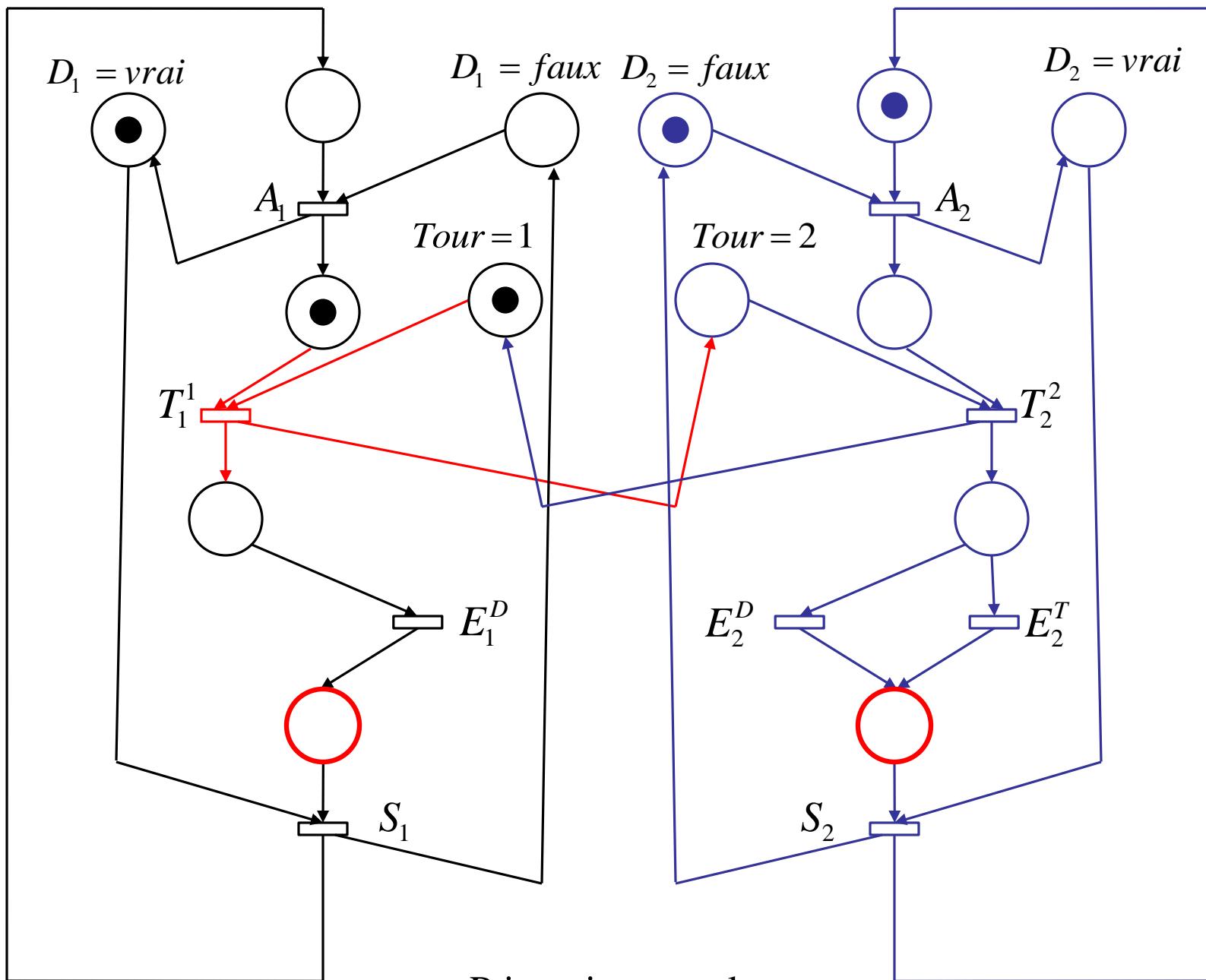
P-invariants seuls

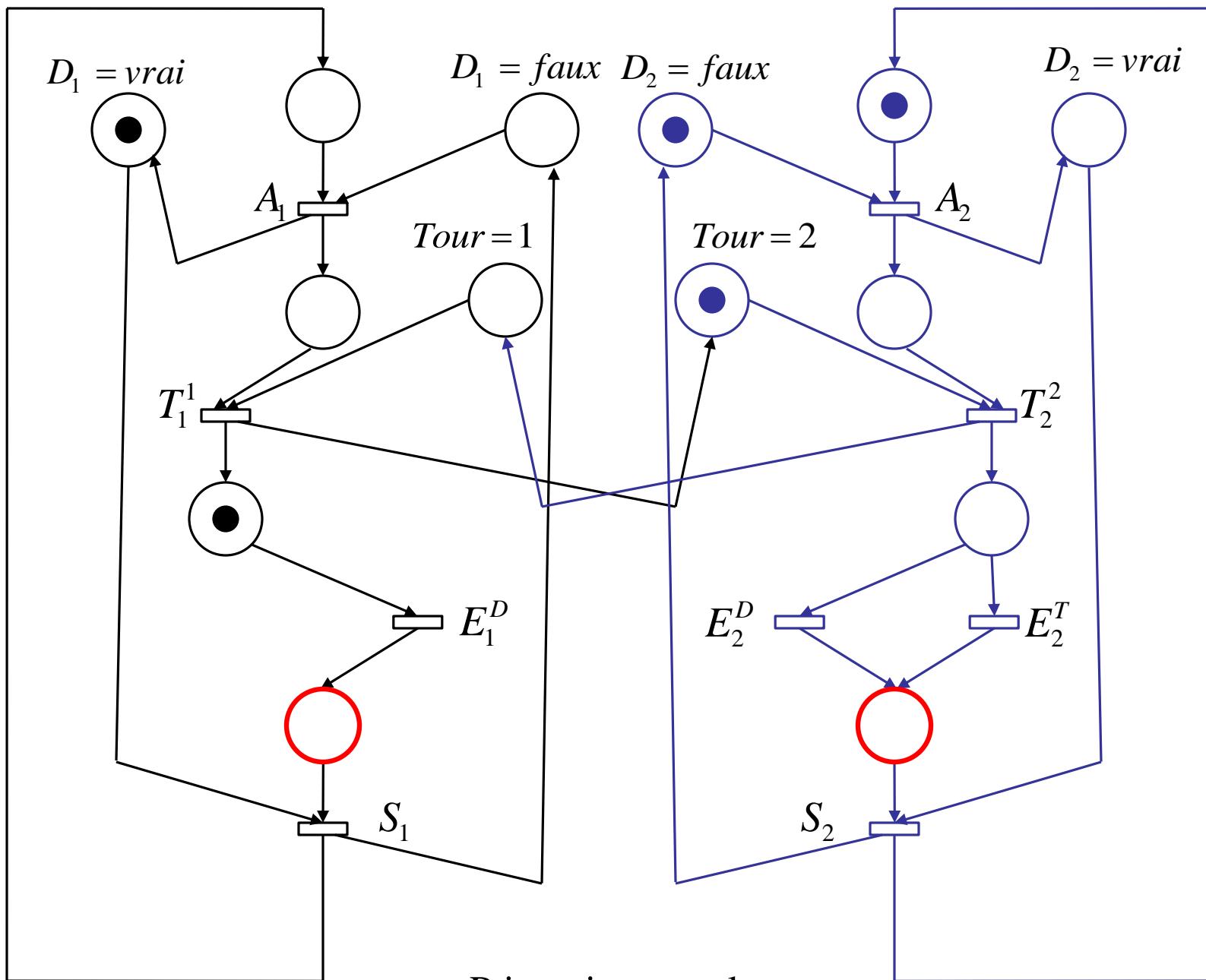


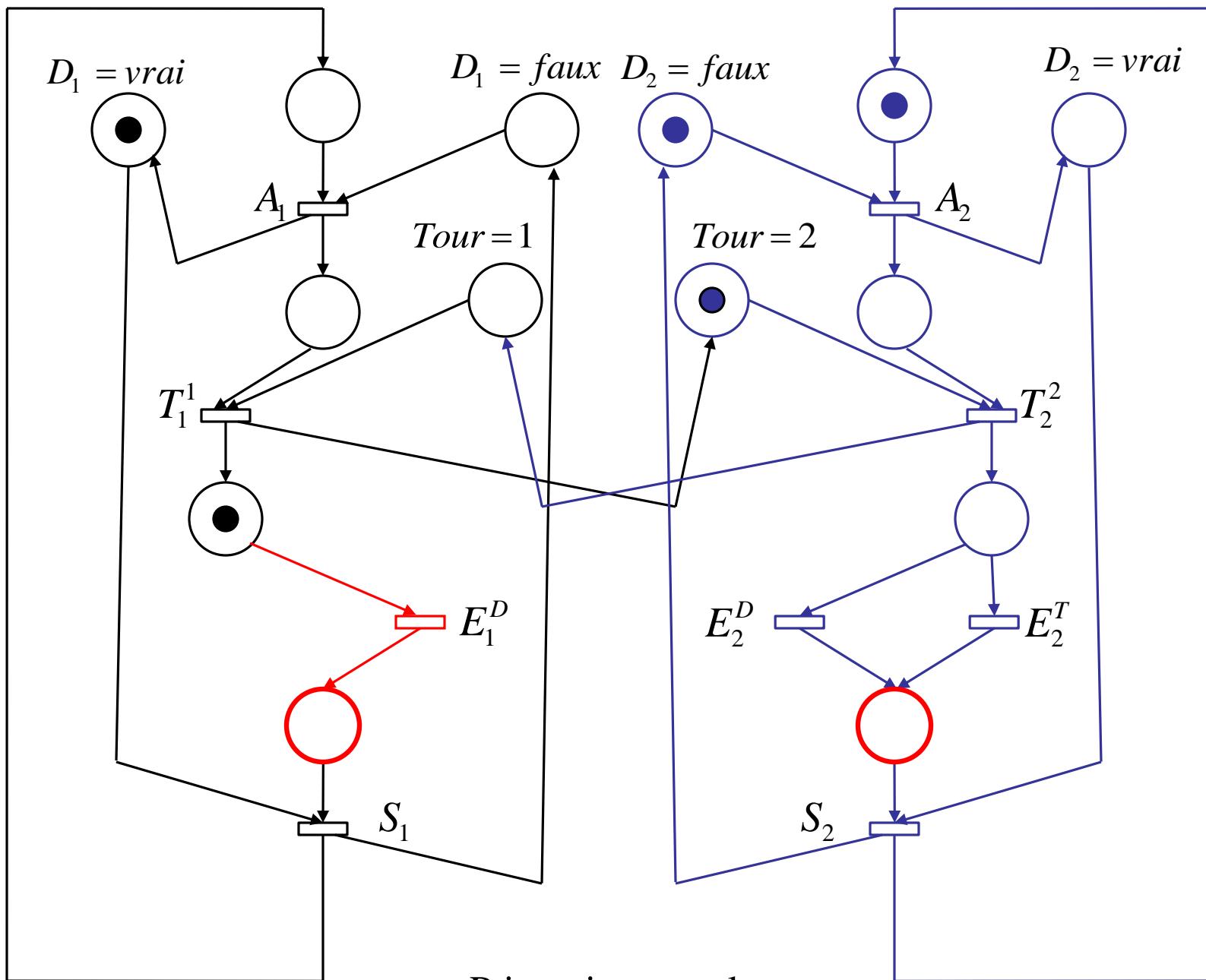
P-invariants seuls



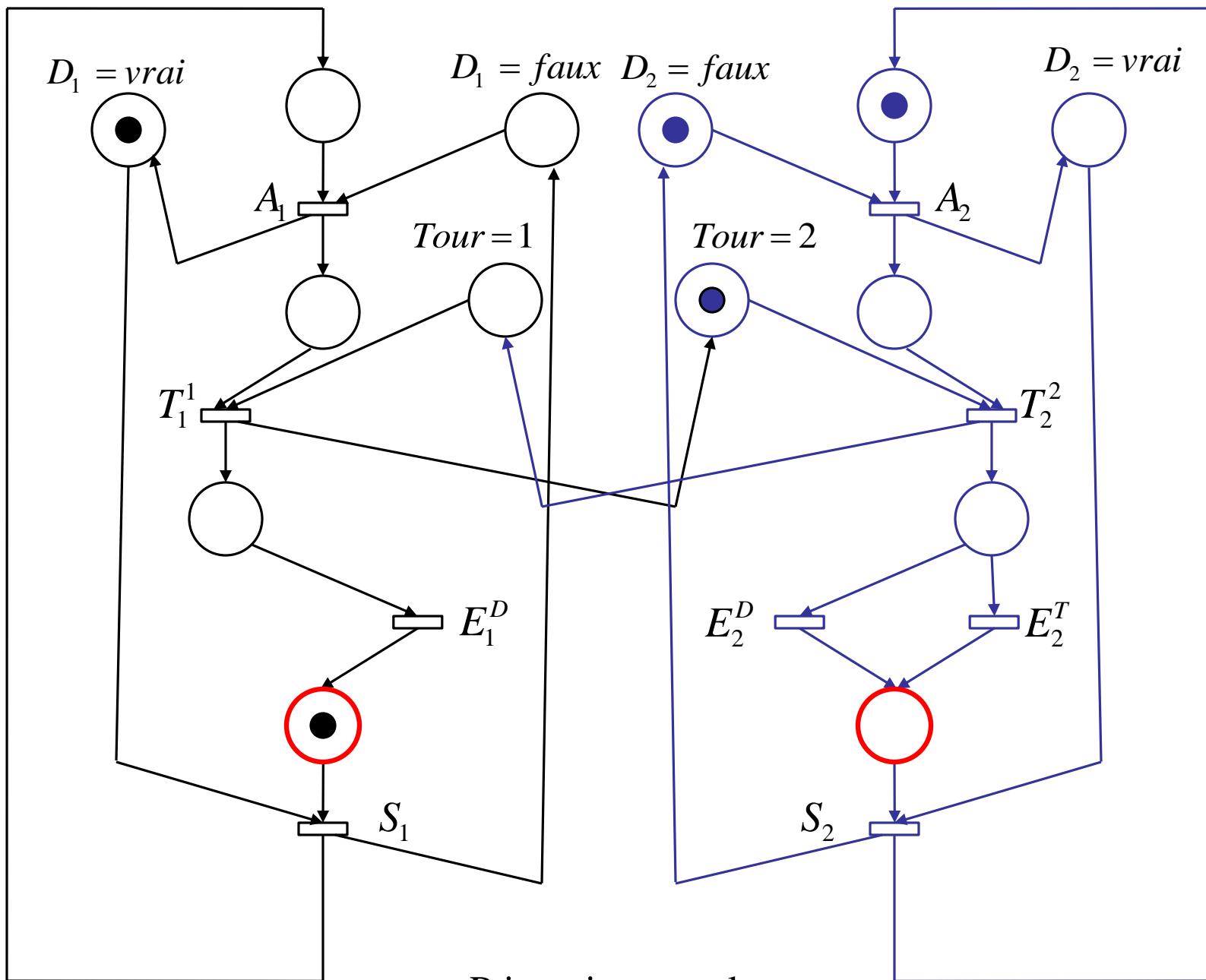
P-invariants seuls



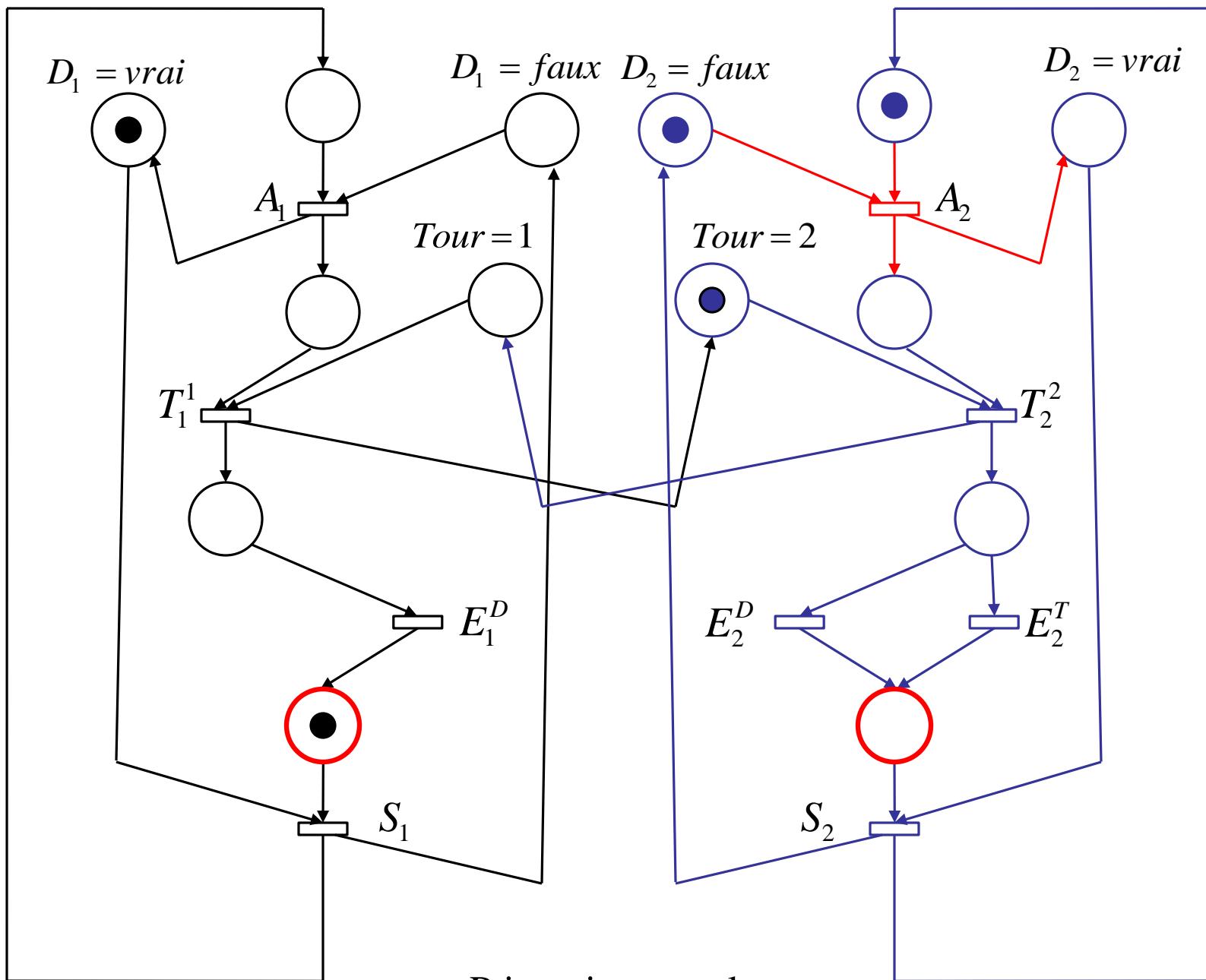


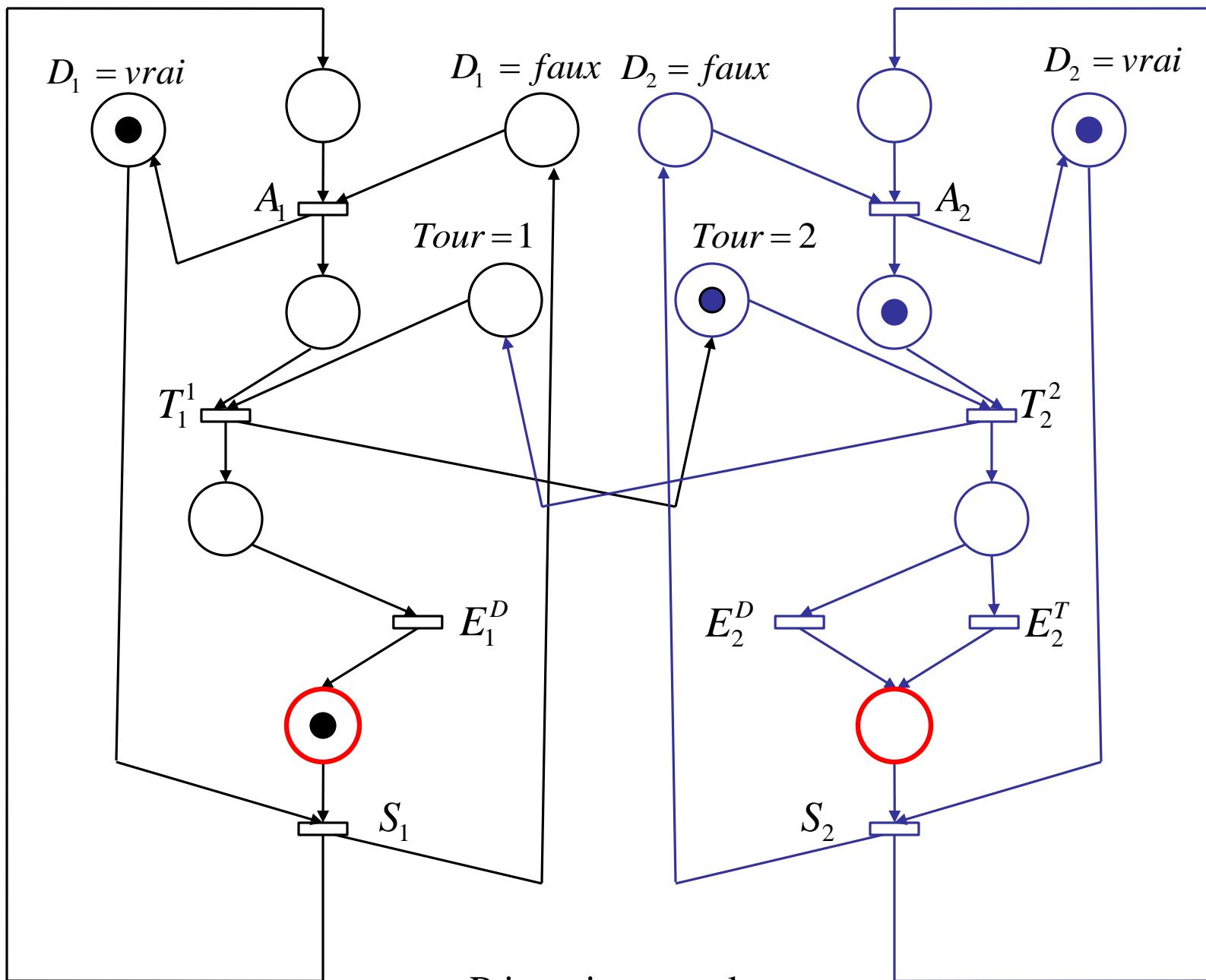


P-invariants seuls

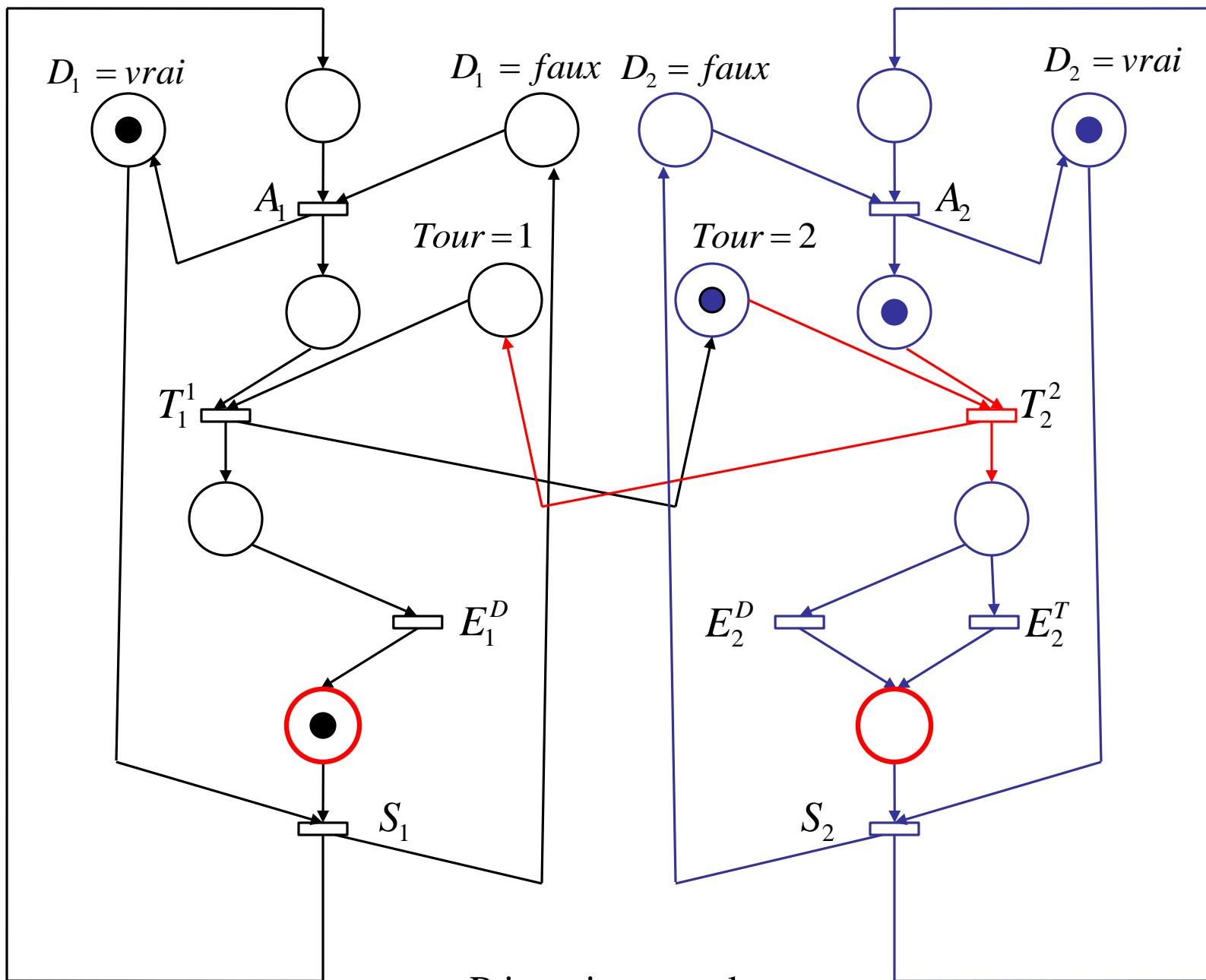


P-invariants seuls

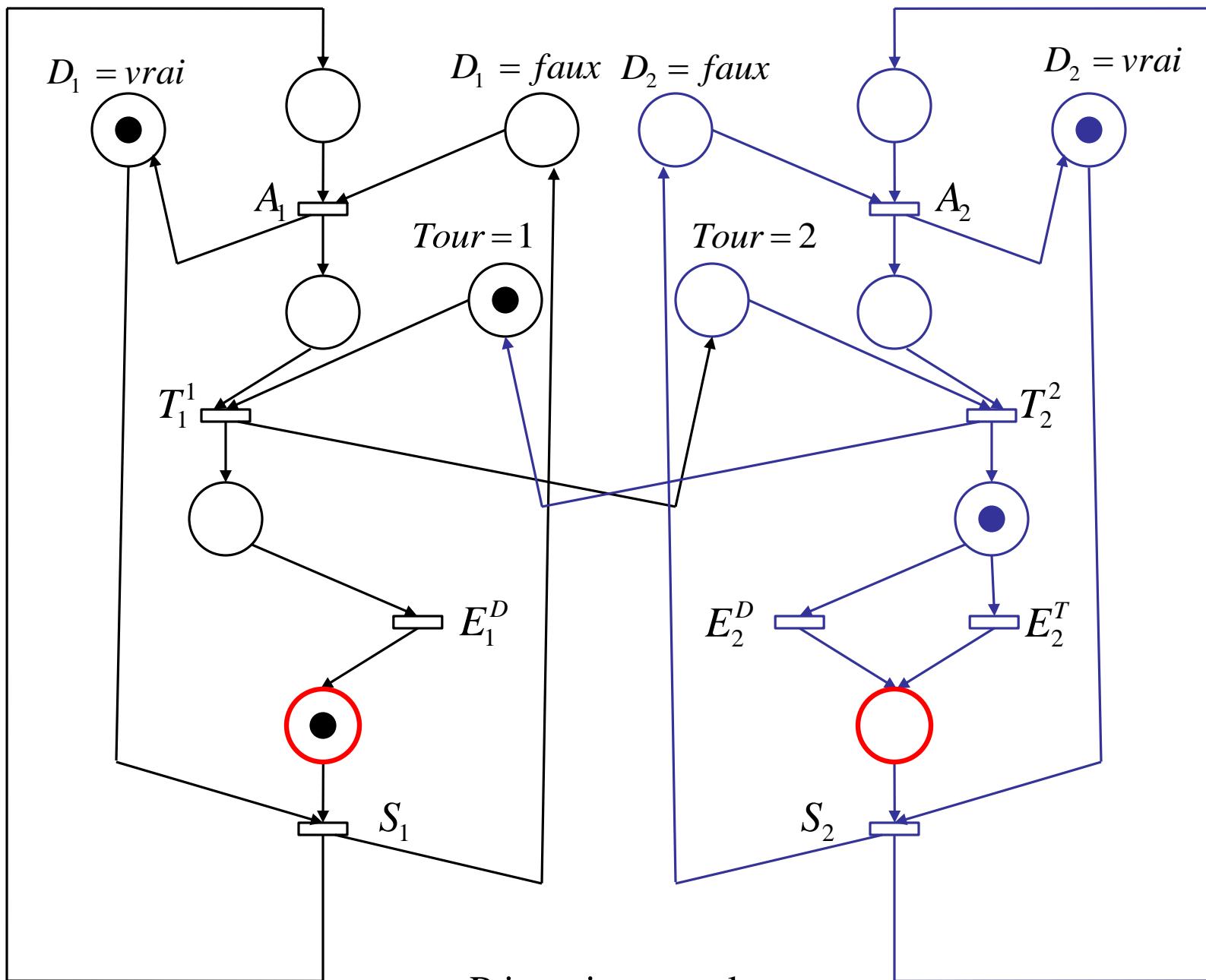




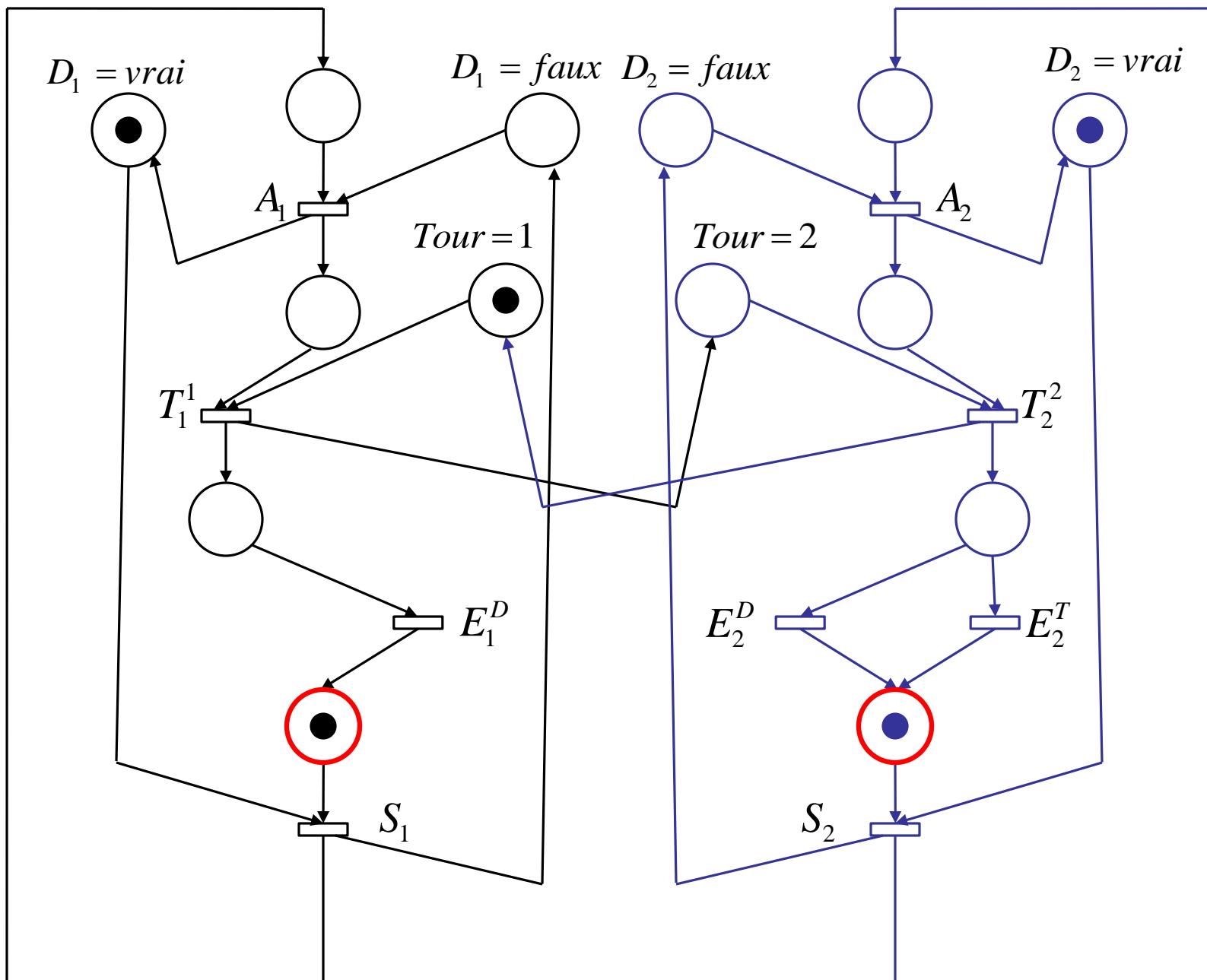
P-invariants seuls



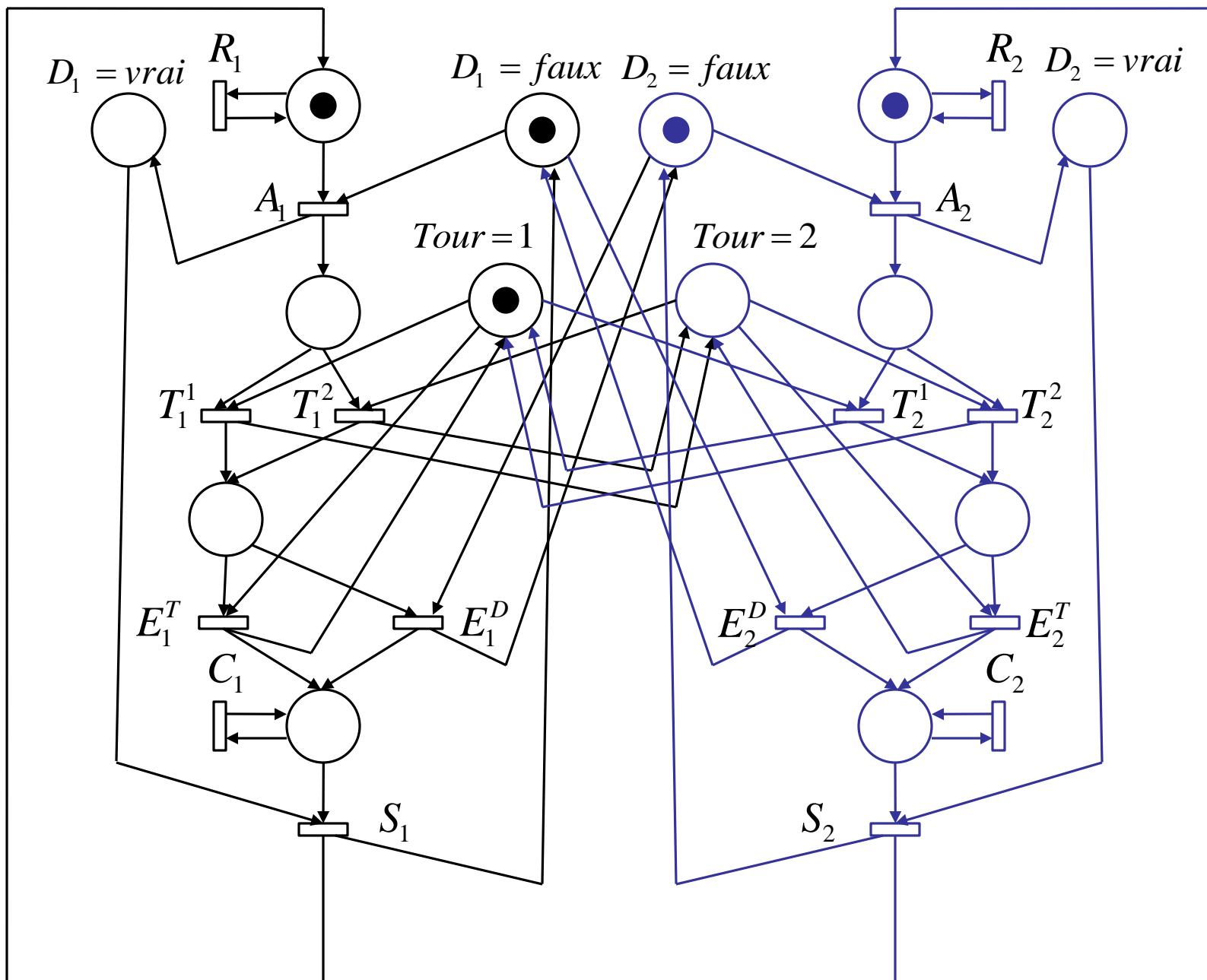
P-invariants seuls

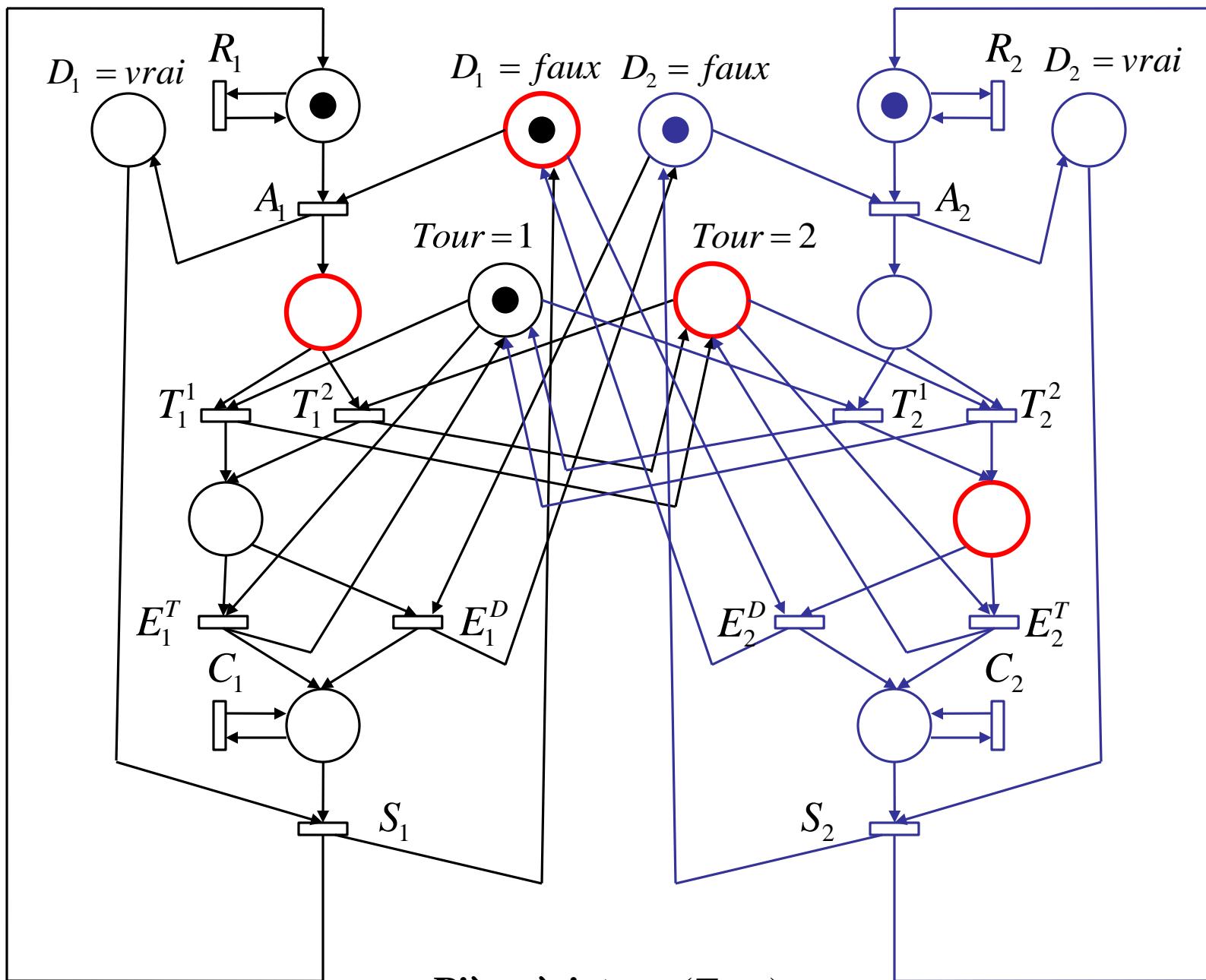


P-invariants seuls

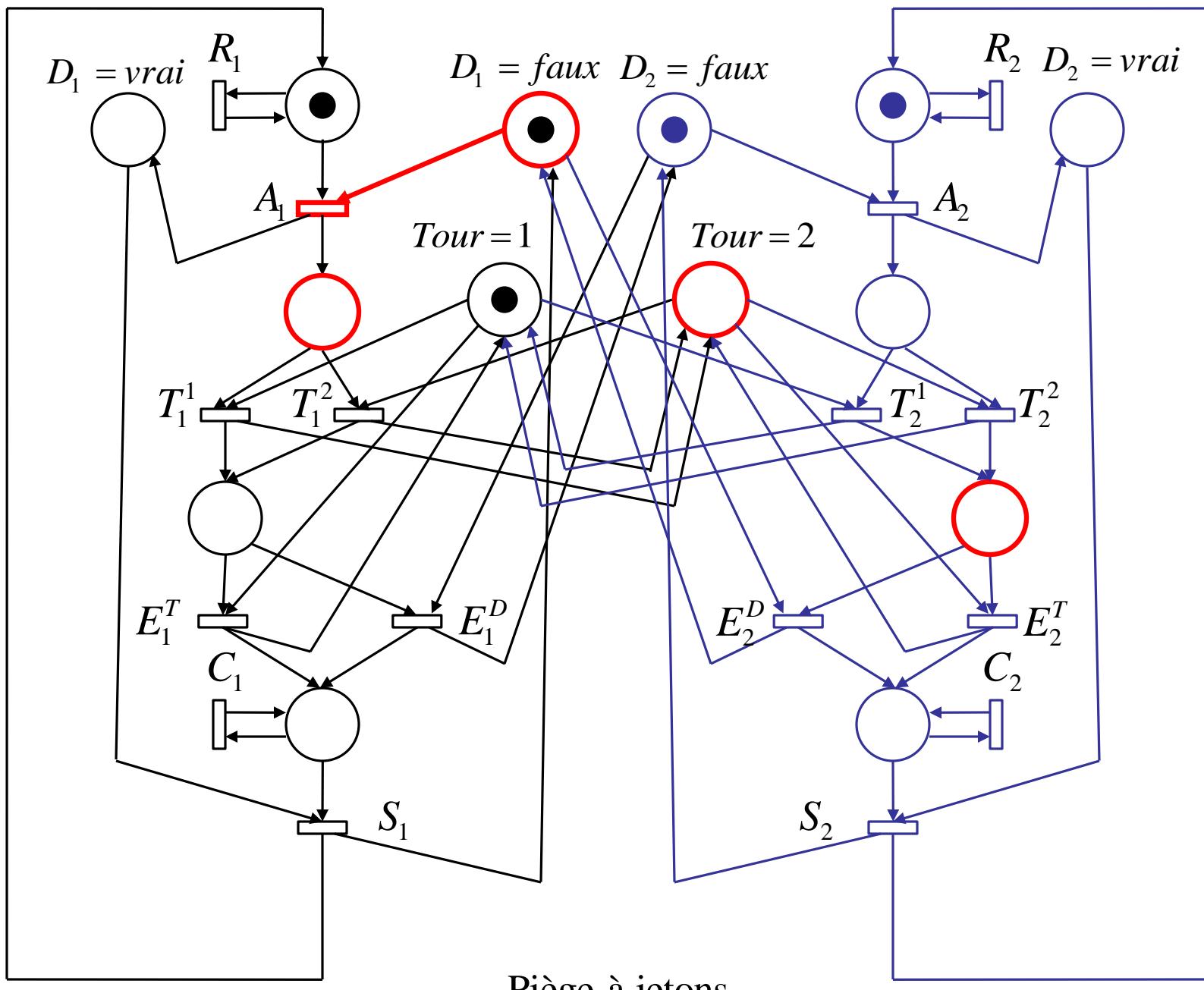


Les P-invariants ne suffisent pas.

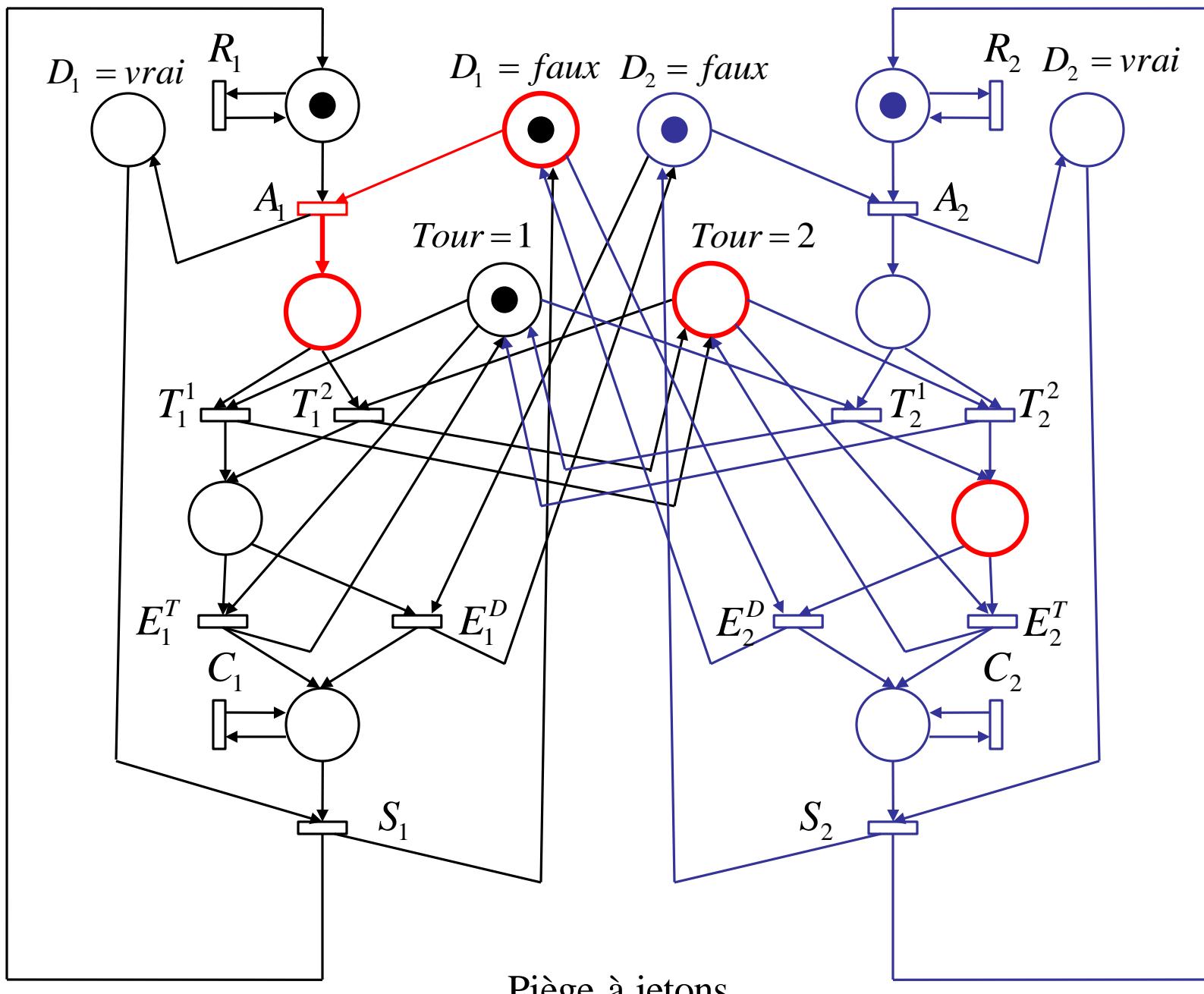


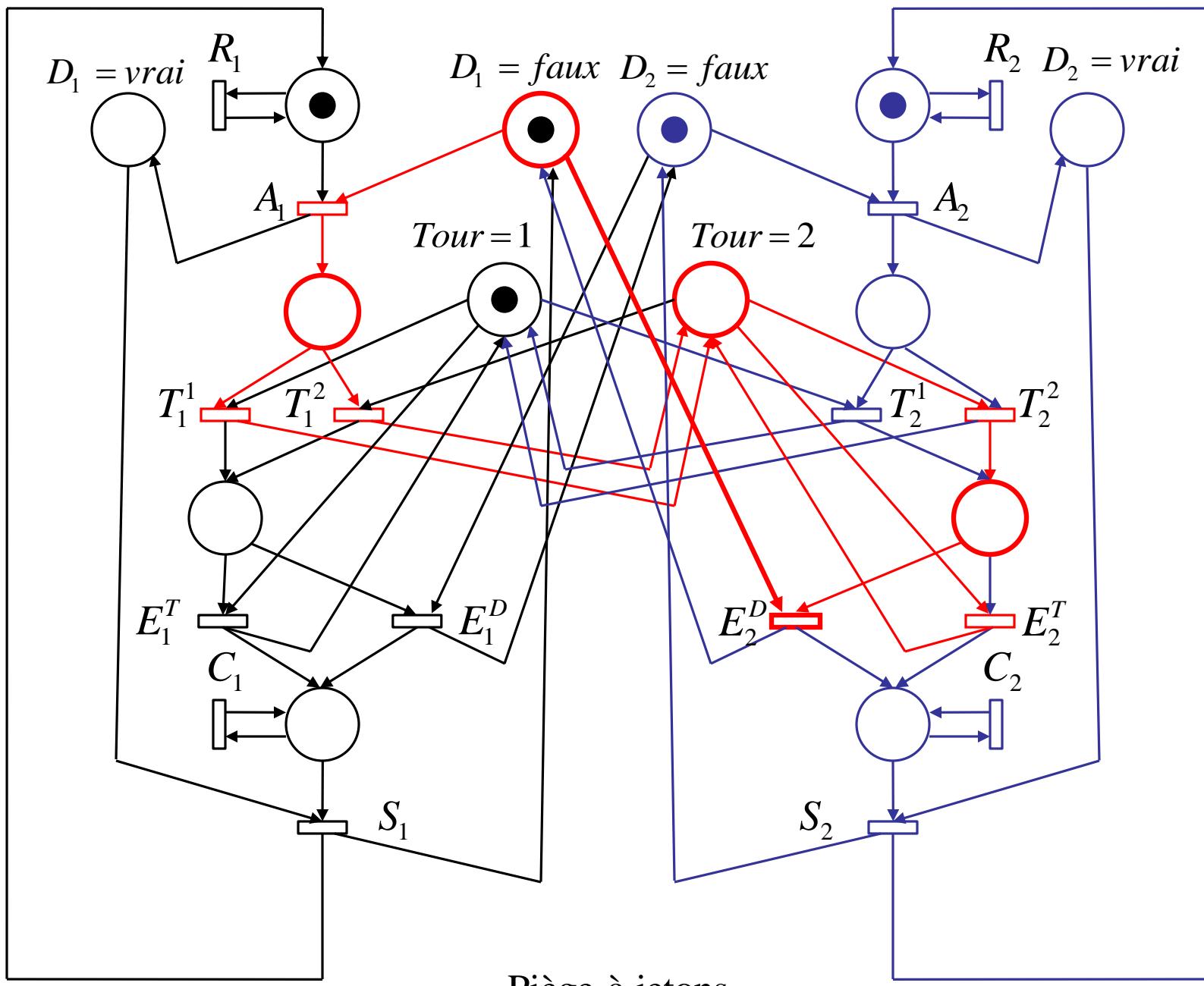


Piège à jetons (*Trap*)

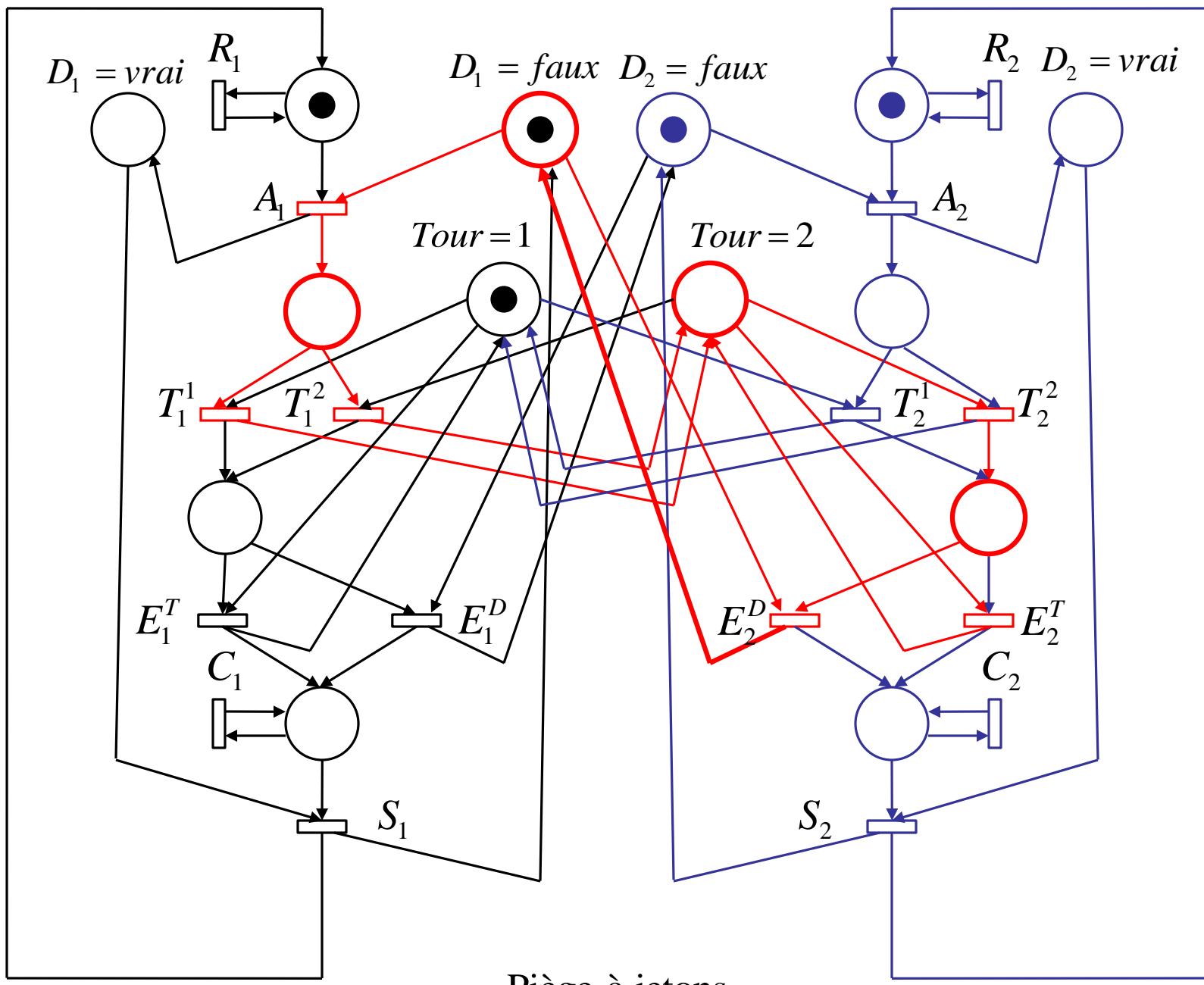


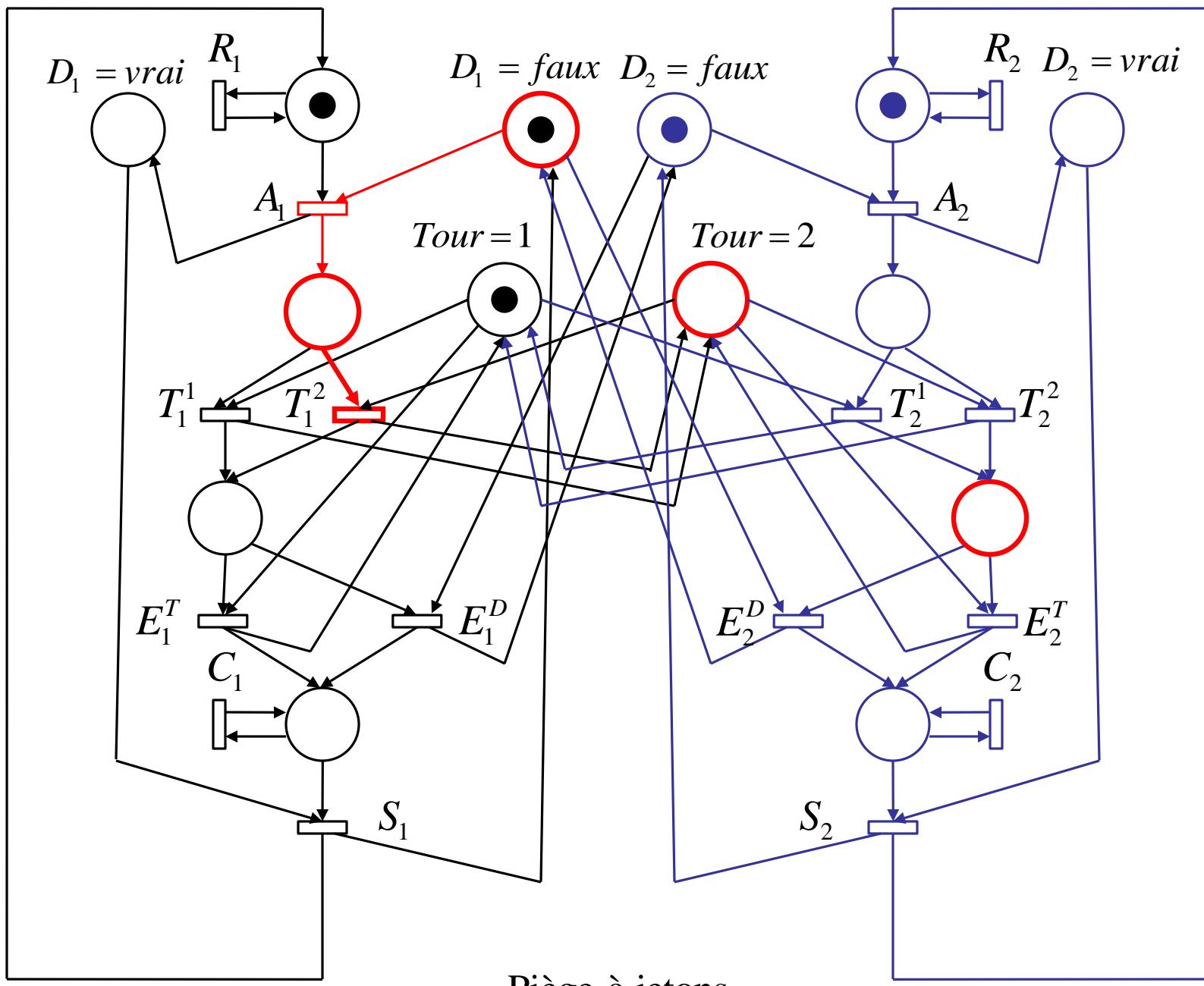
Piège à jetons



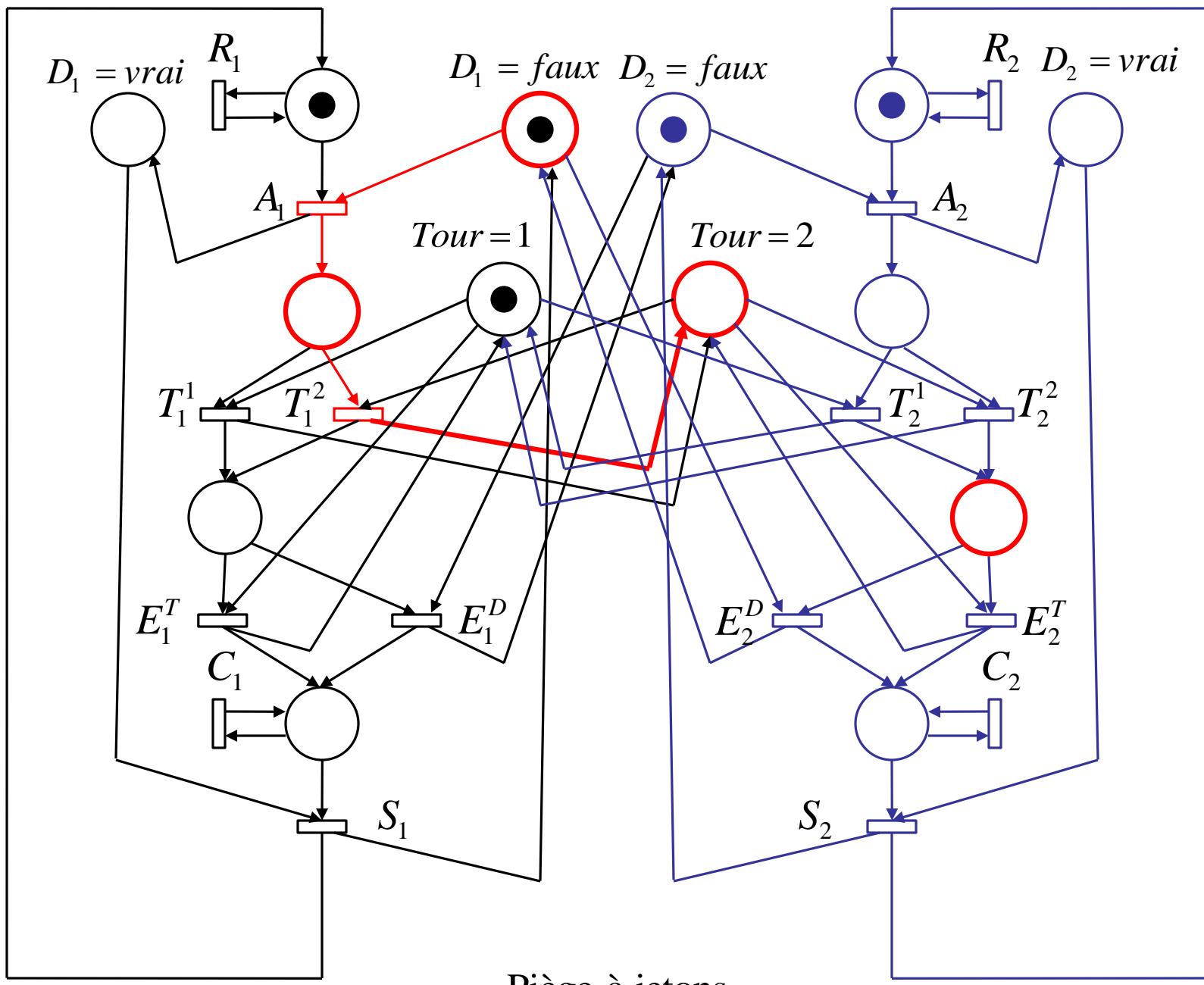


Piège à jetons

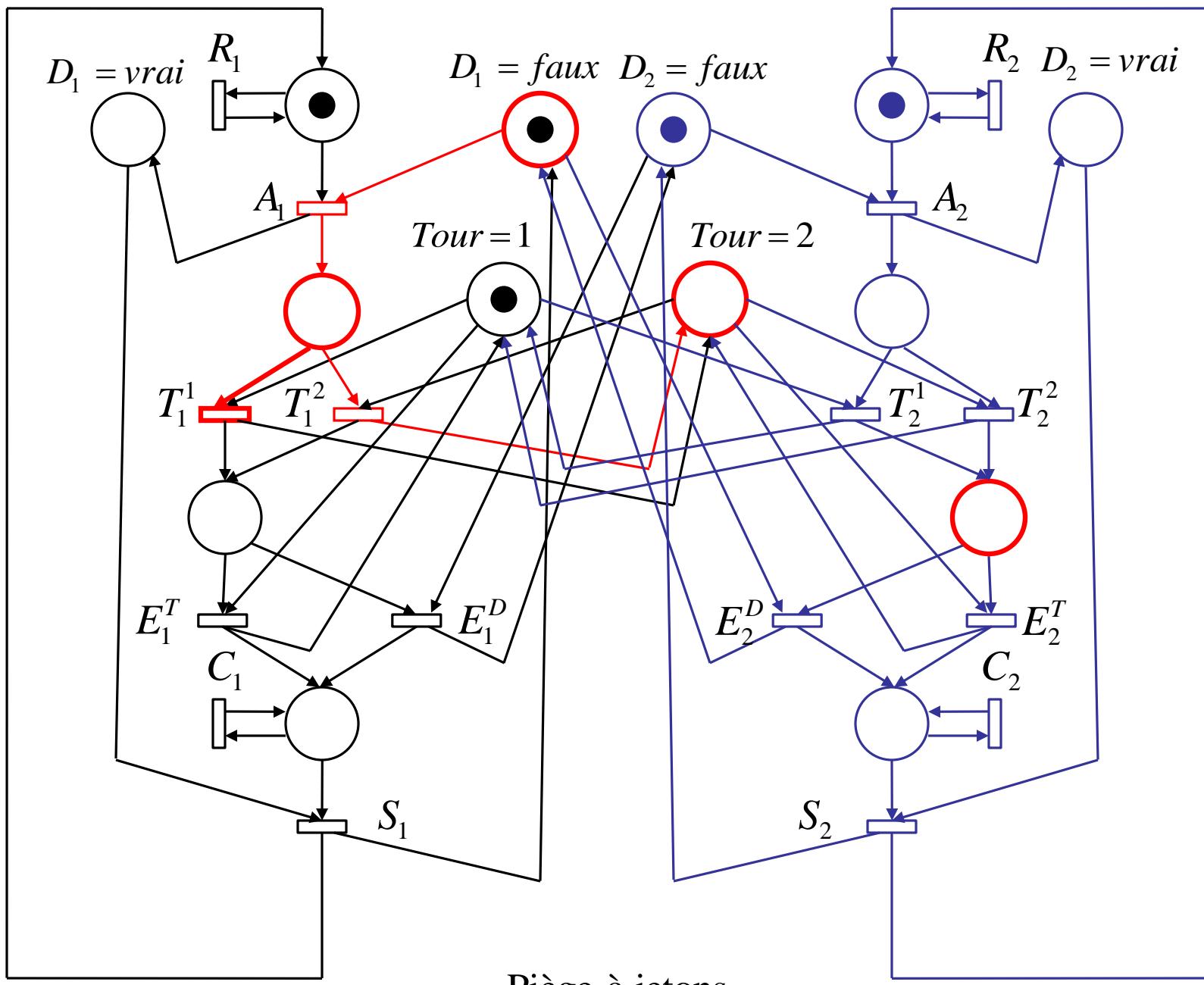




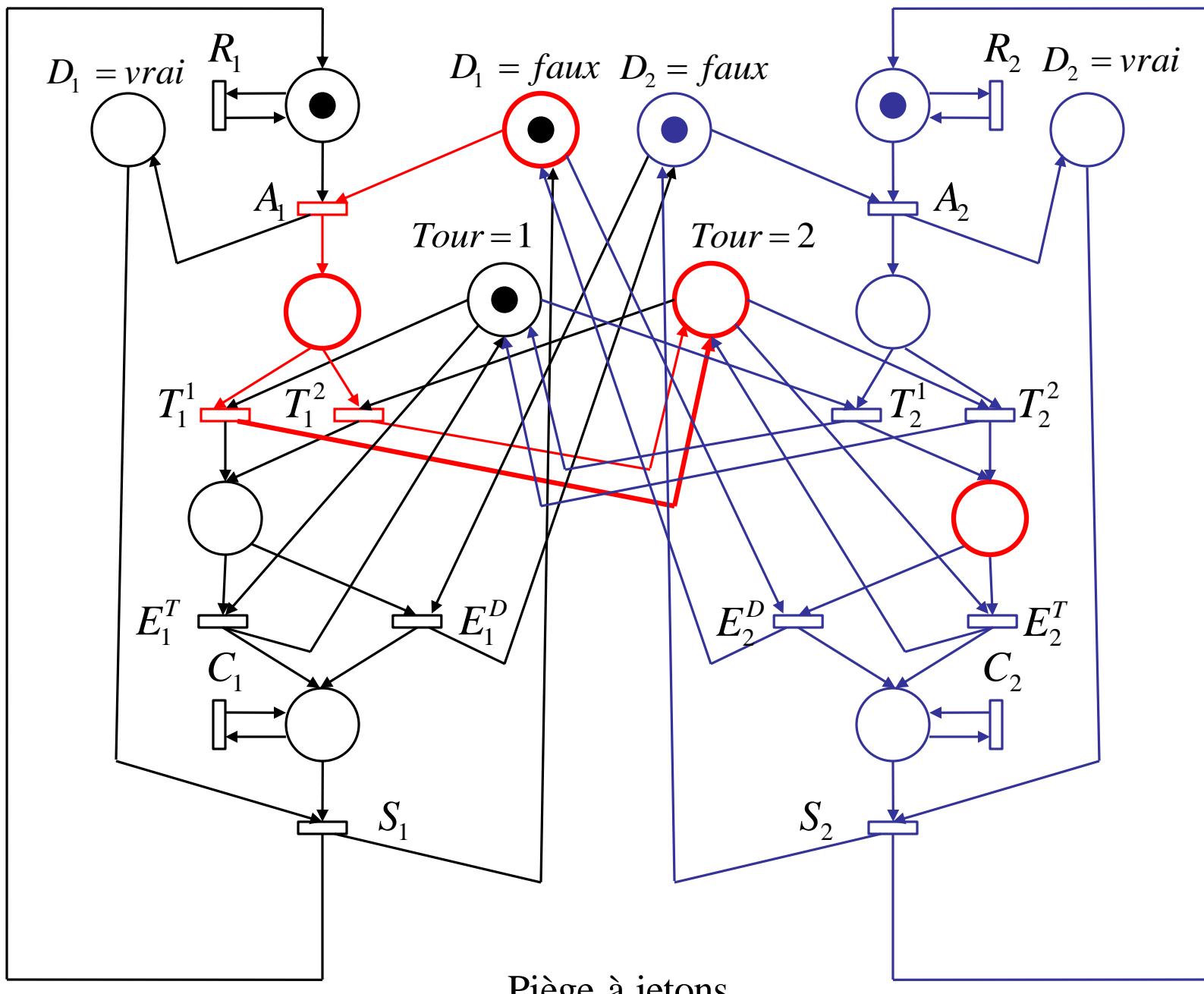
Piège à jetons



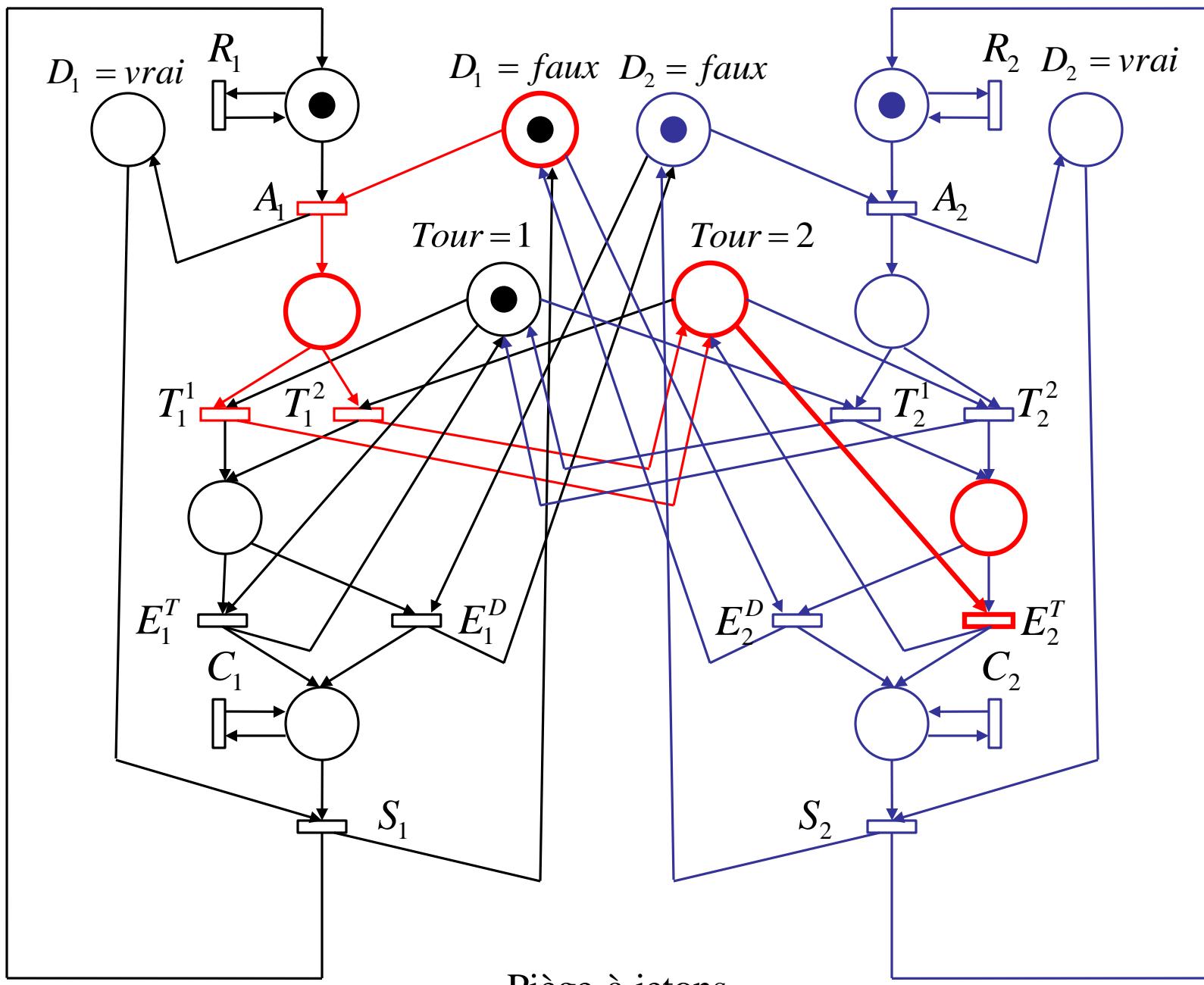
Piège à jetons



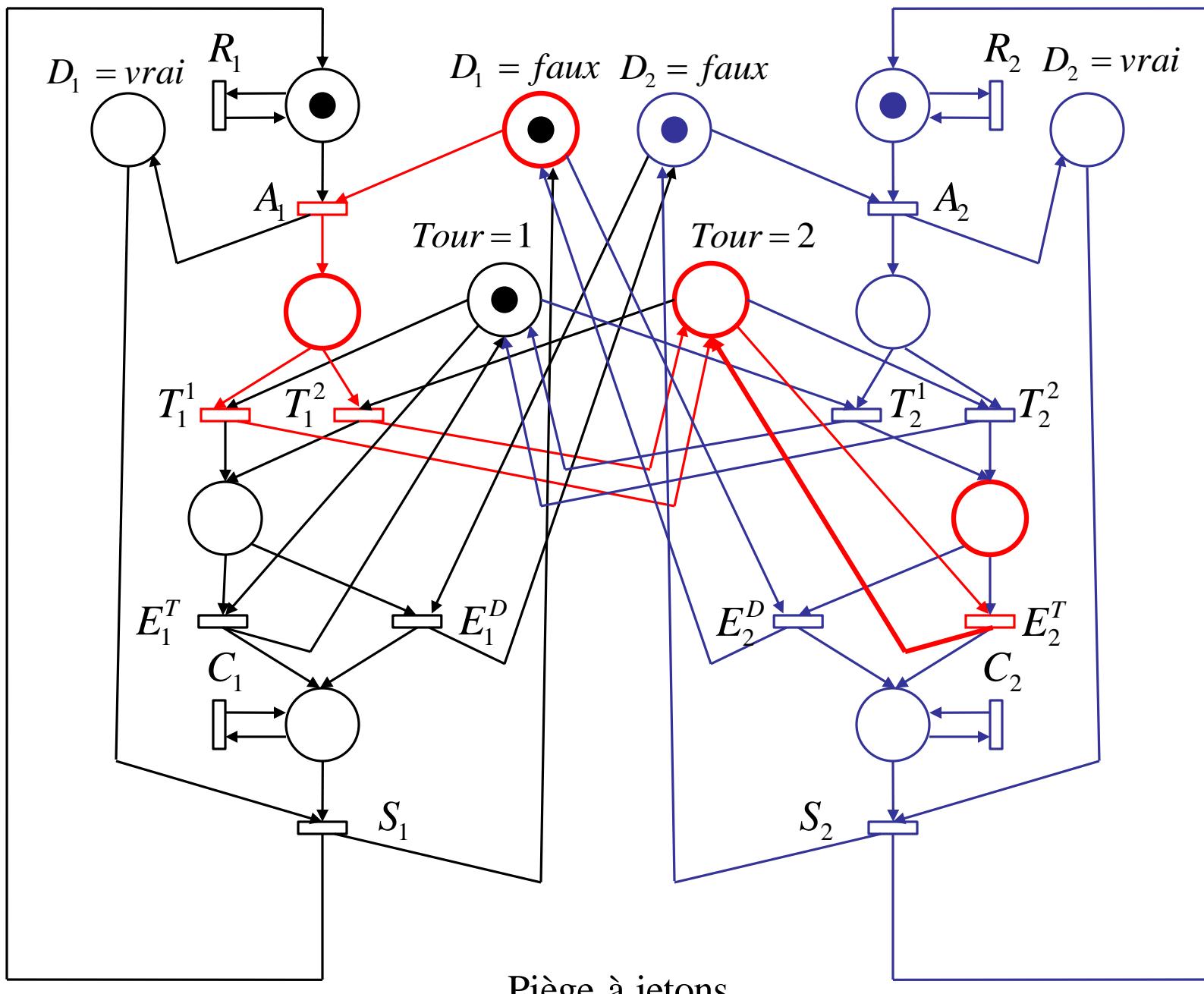
Piège à jetons



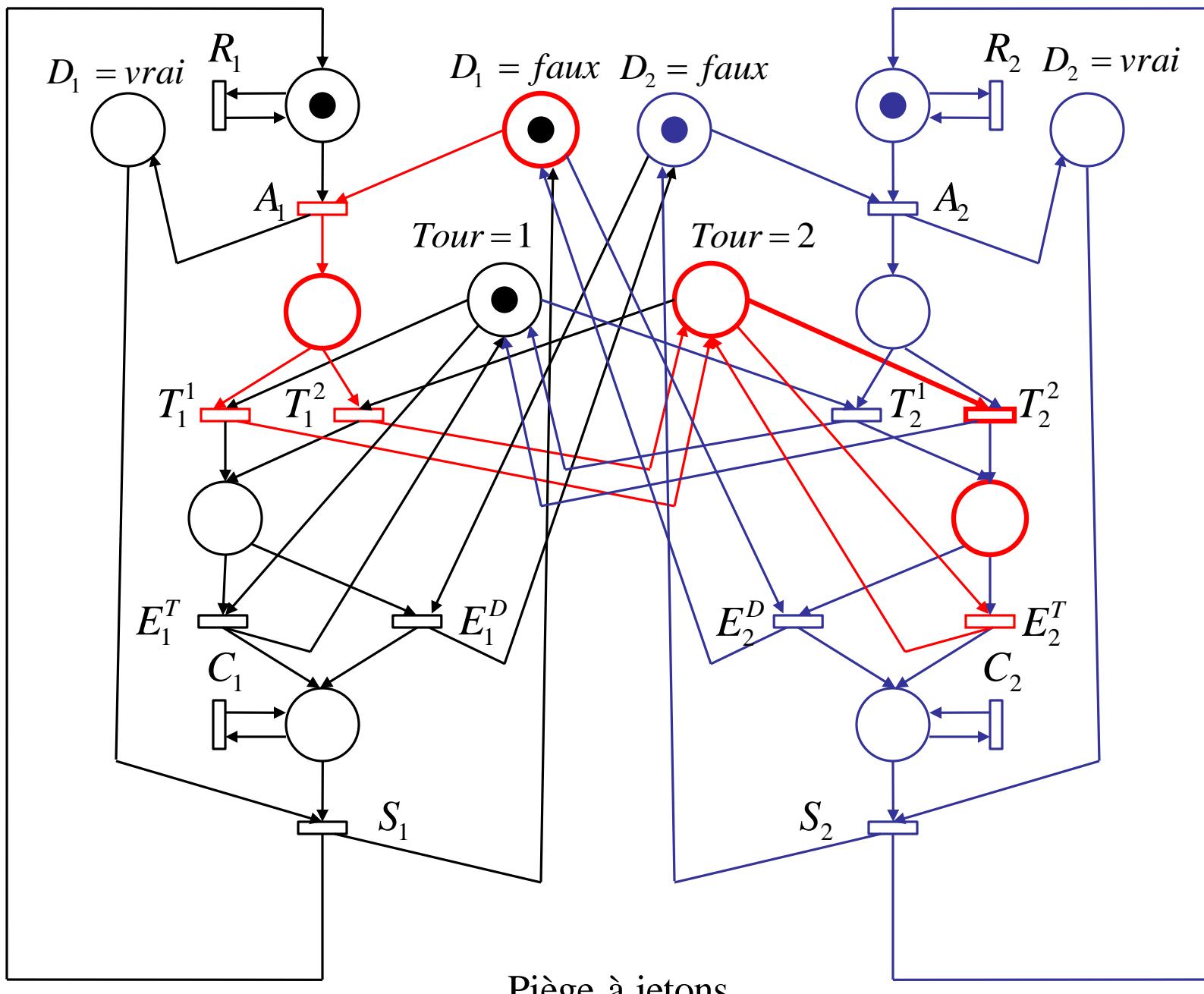
Piège à jetons

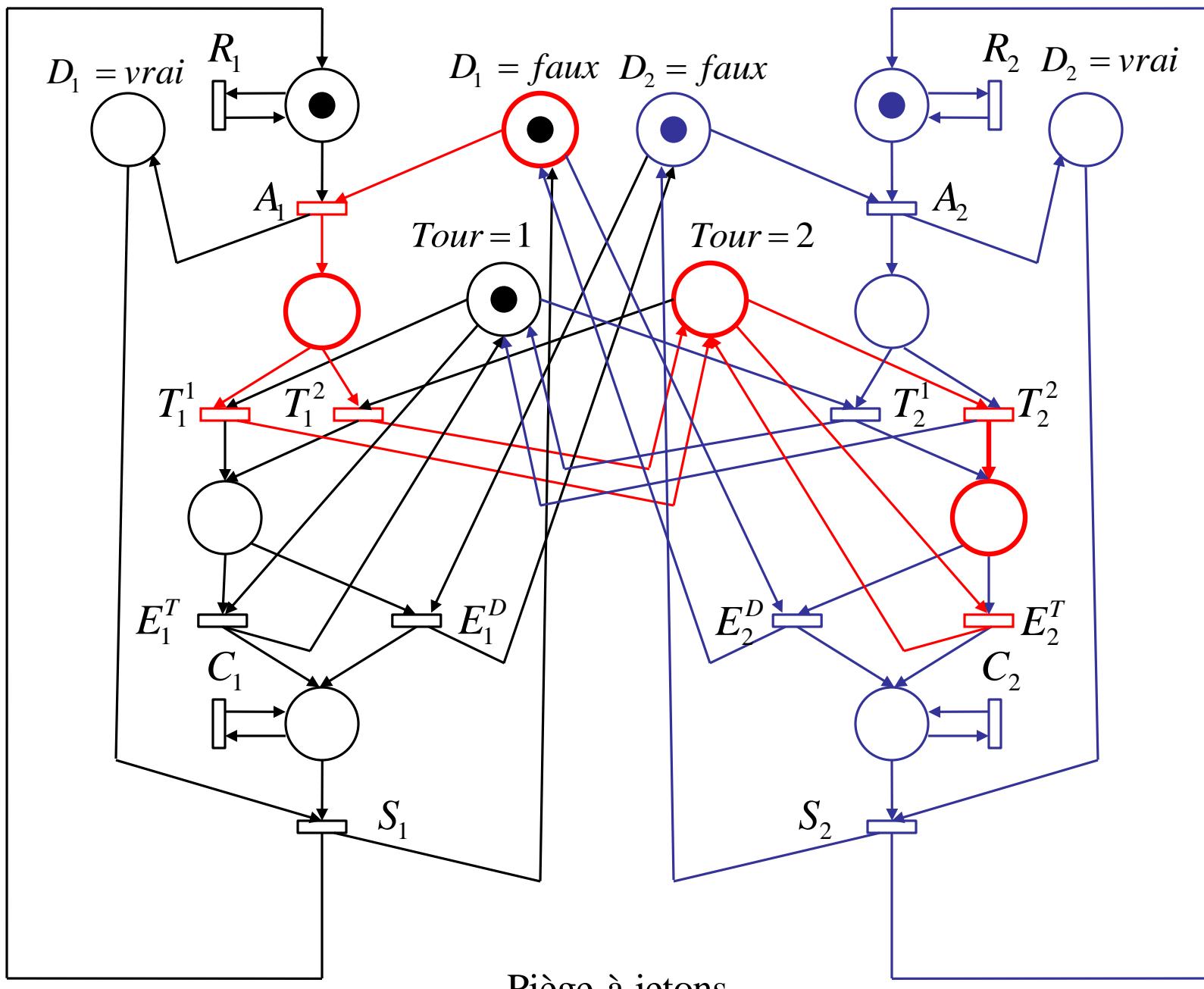


Piège à jetons

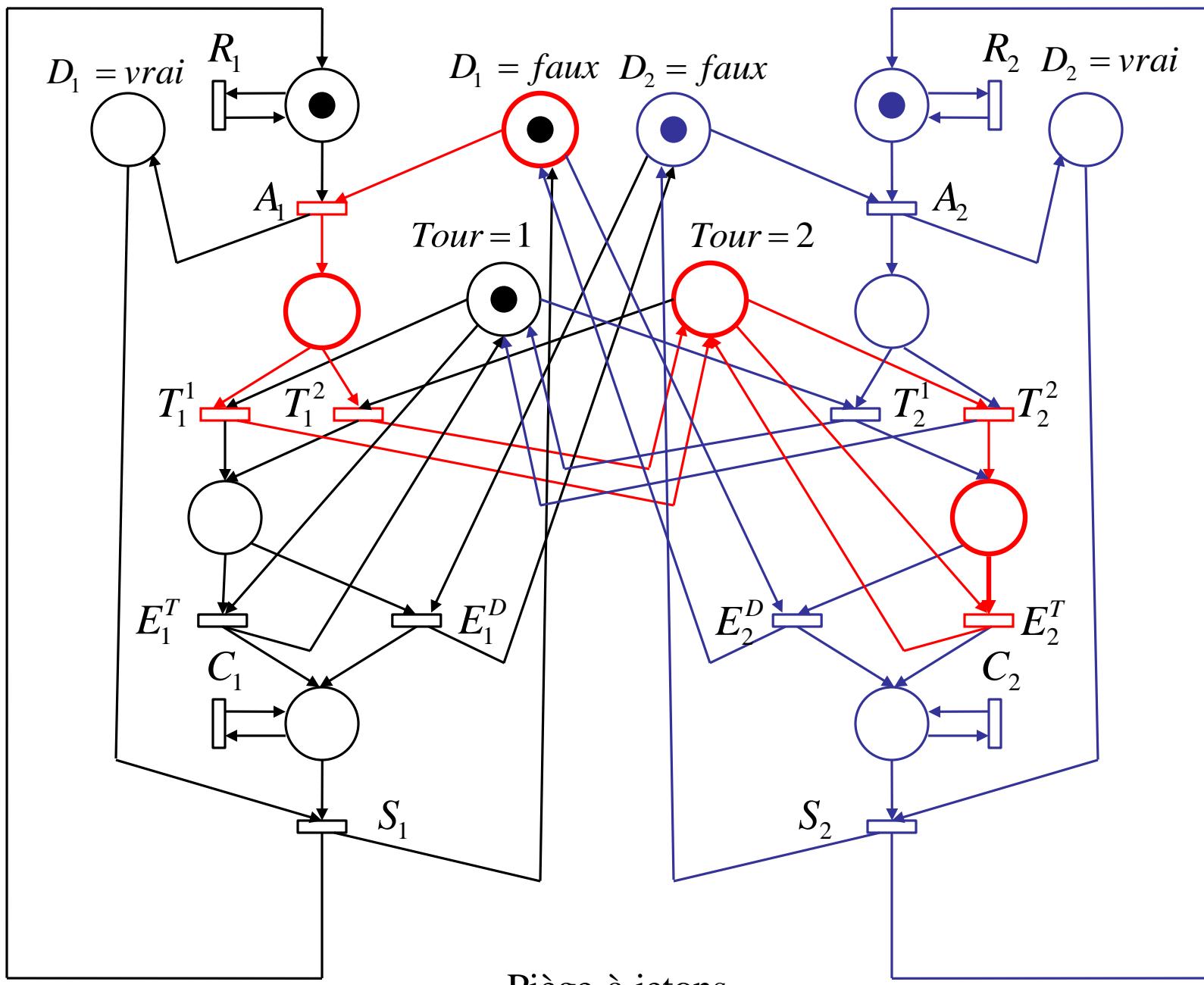


Piège à jetons

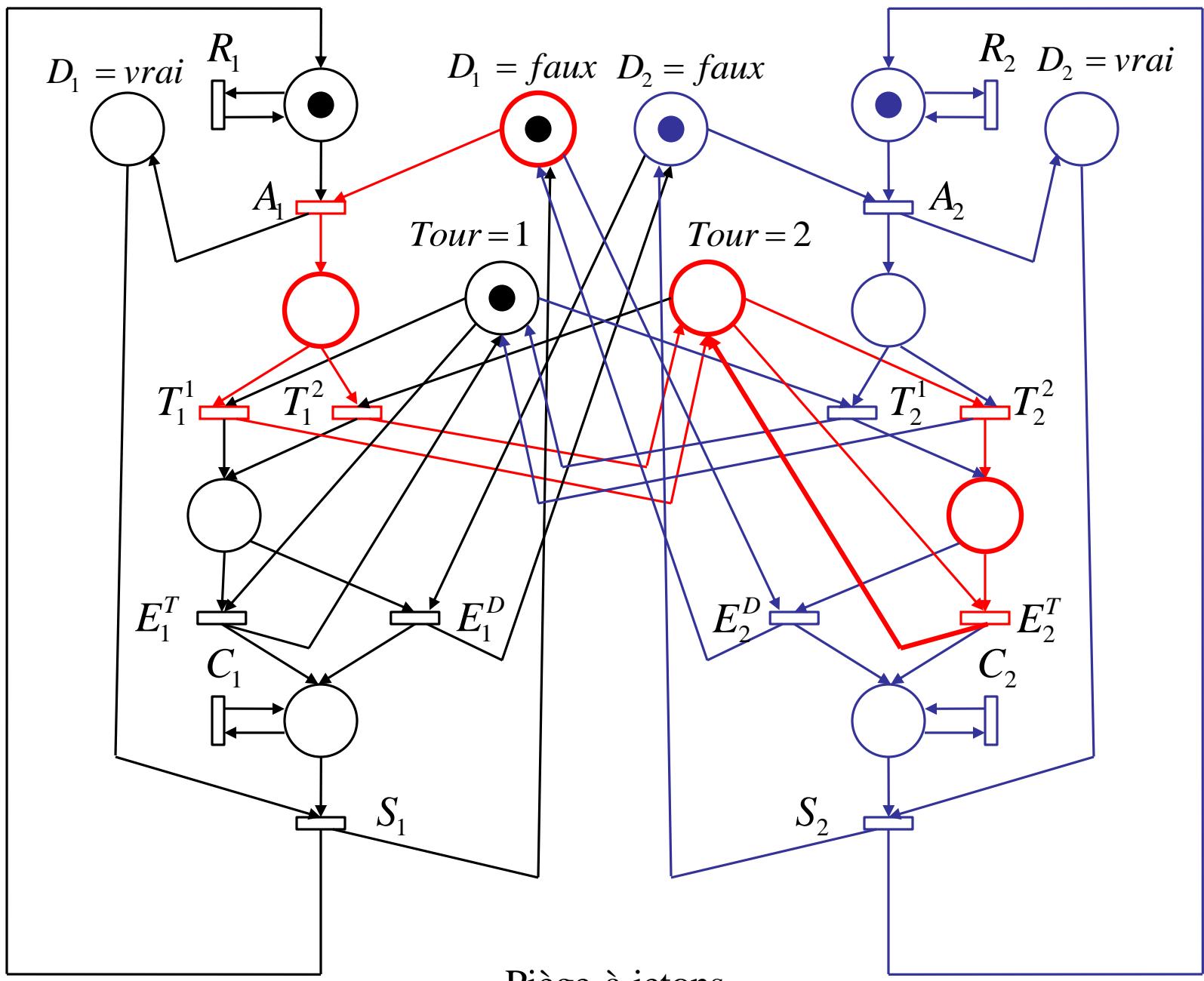


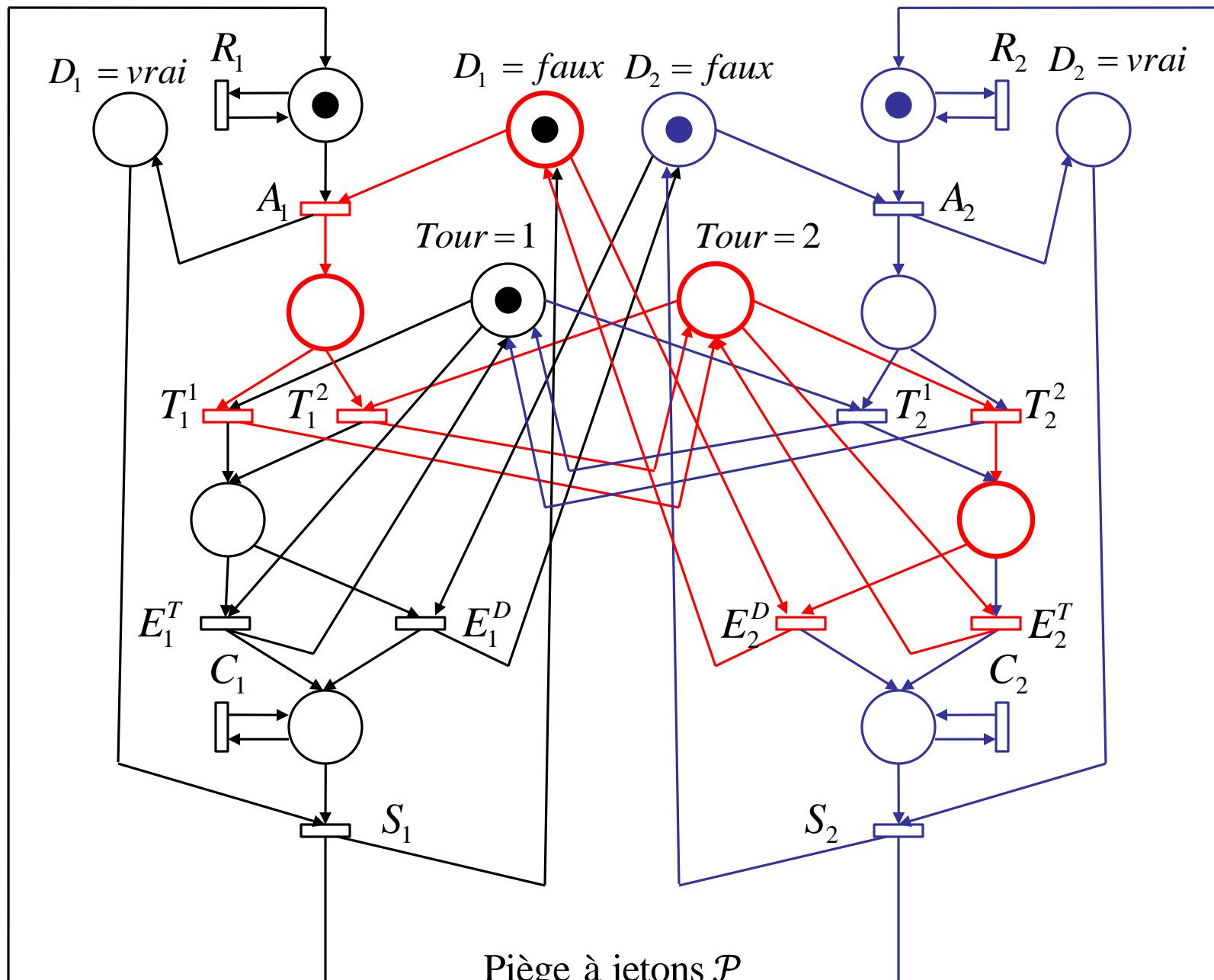


Piège à jetons



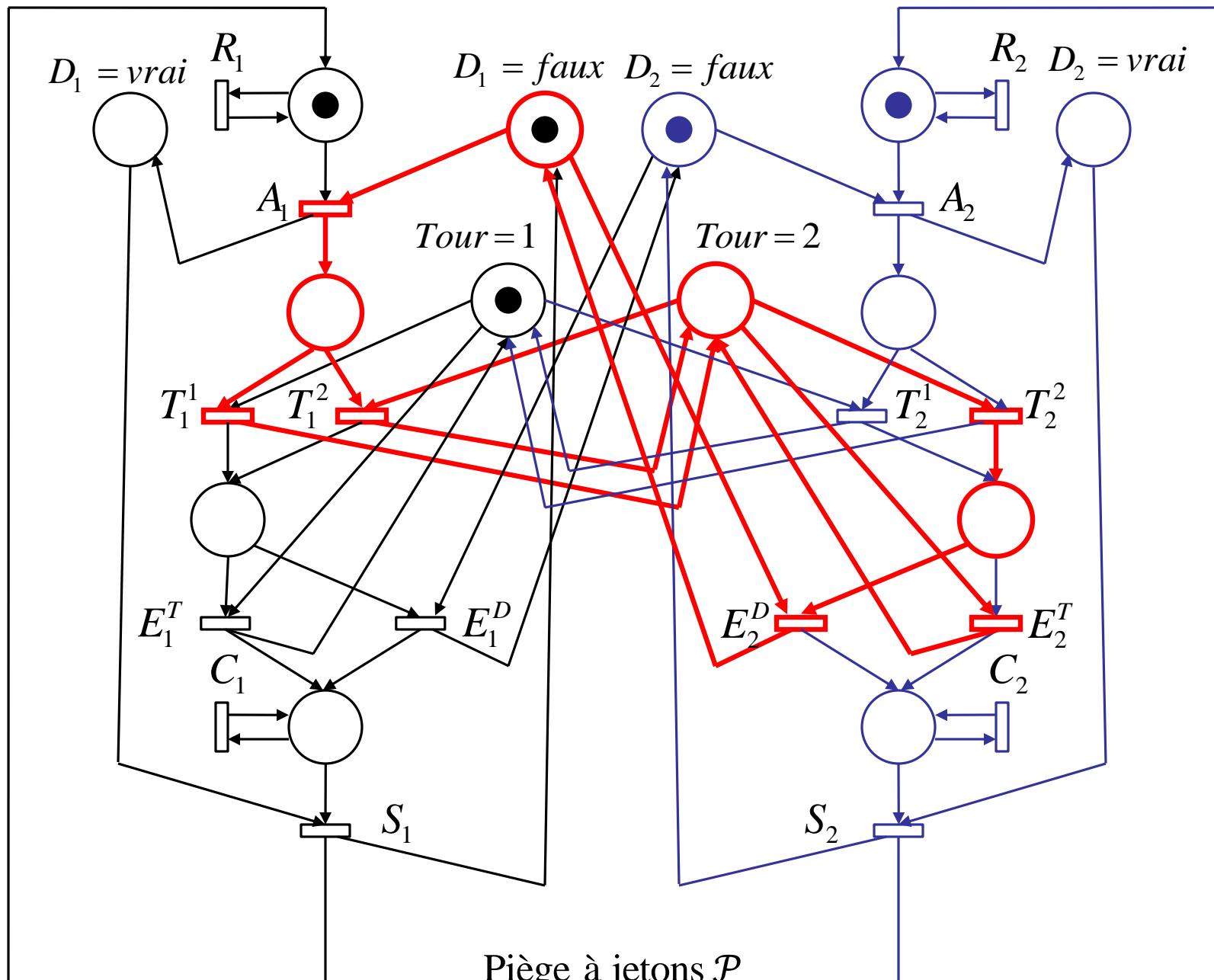
Piège à jetons





Piège à jetons  $\mathcal{P}$

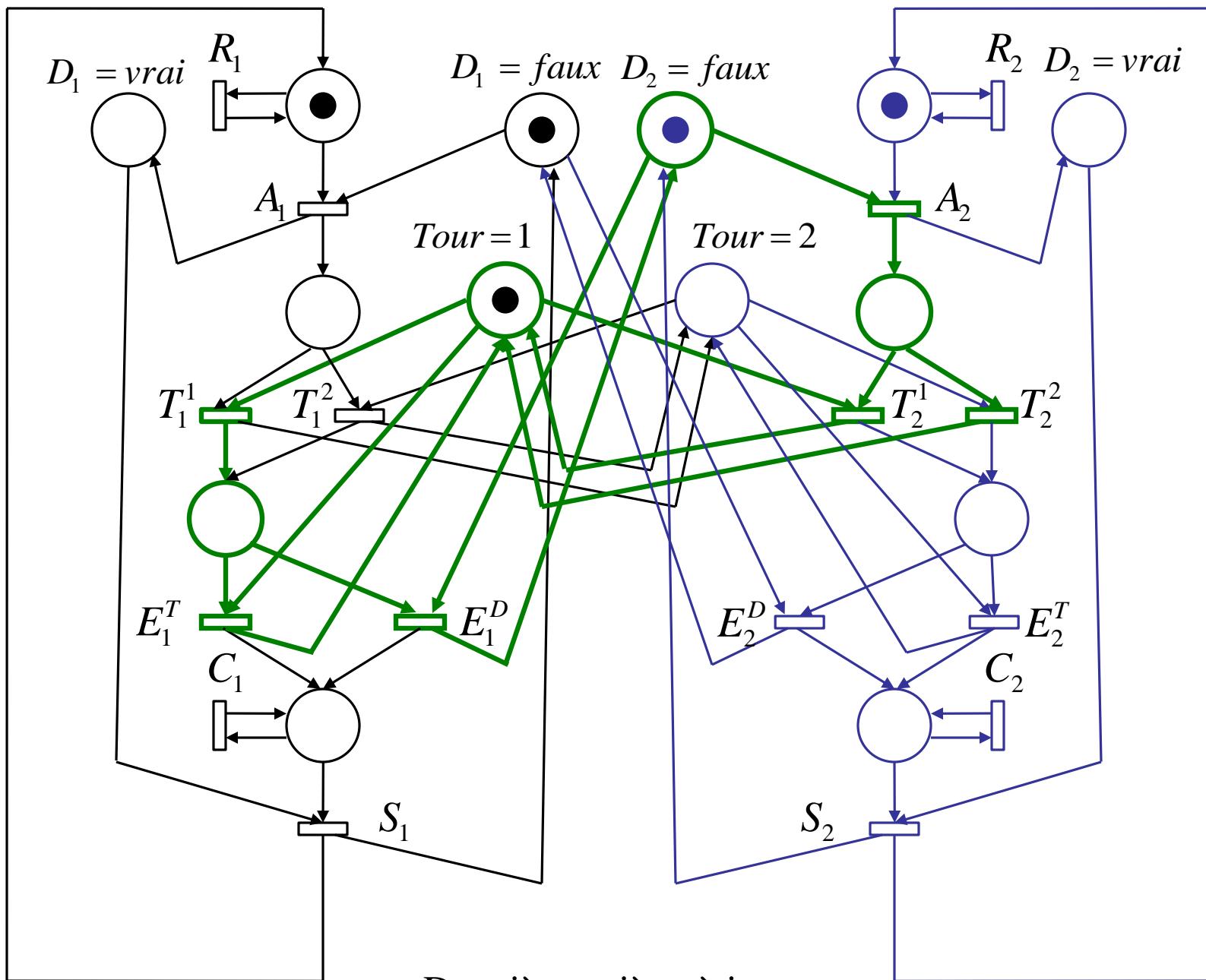
$$\{O(p_i) \mid p_i \in \mathcal{P}\} \subseteq \{I(p_i) \mid p_i \in \mathcal{P}\}$$



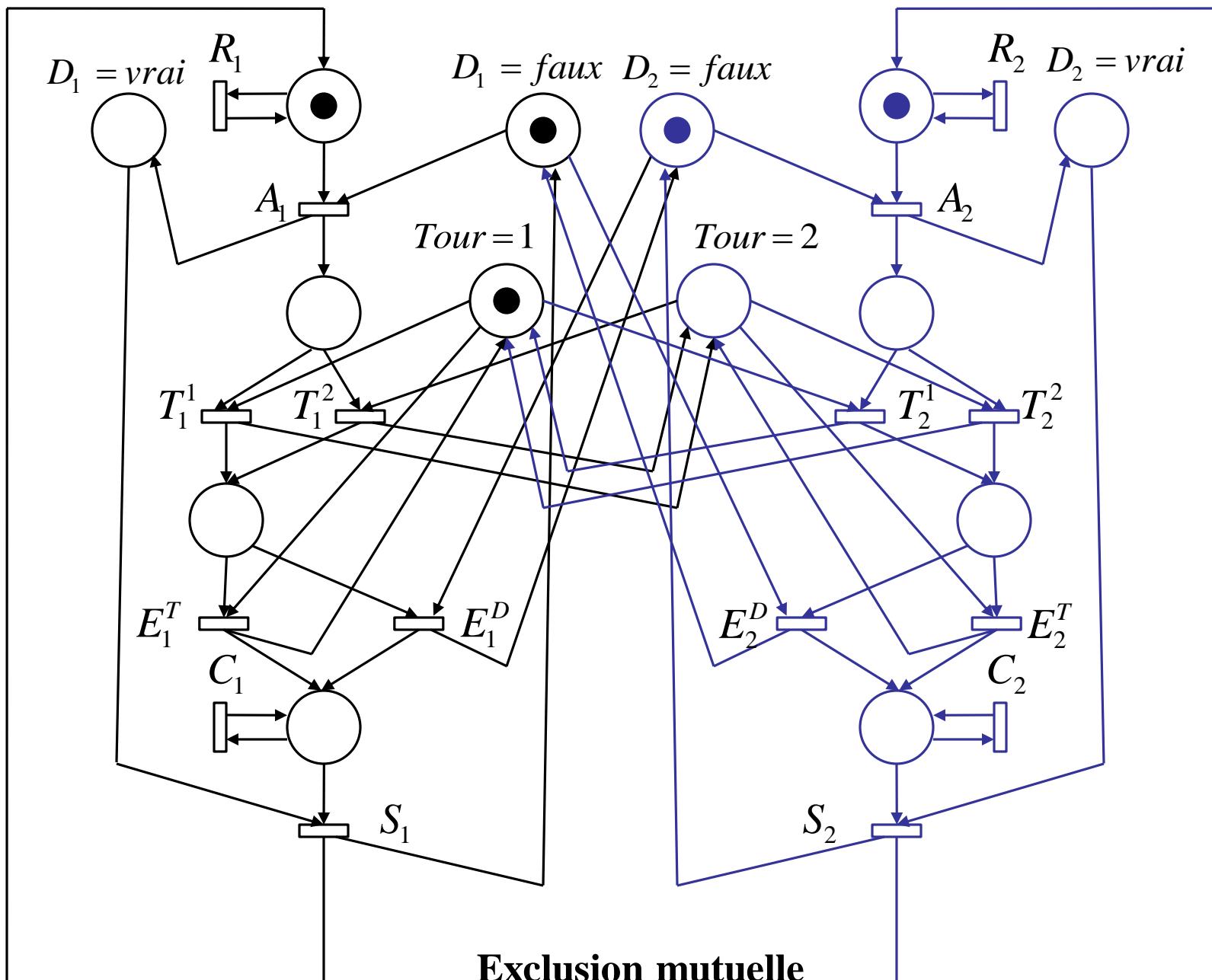
$$\{O(p_i) \mid p_i \in \mathcal{P}\} \subseteq \{I(p_i) \mid p_i \in \mathcal{P}\}$$

	$D_1^F$	$D_1^V$	$p_1$	$p_2$	$p_3$	$p_4$	$T_1$	$T_2$	$D_2^F$	$D_2^V$	$q_1$	$q_2$	$q_3$	$q_4$
$A_1$	-1	1	-1	1	0	0	0	0	0	0	0	0	0	0
$T_1^1$	0	0	0	-1	1	0	-1	1	0	0	0	0	0	0
$T_1^2$	0	0	0	-1	1	0	0	0	0	0	0	0	0	0
$E_1^T$	0	0	0	0	-1	1	0	0	0	0	0	0	0	0
$E_1^D$	0	0	0	0	-1	1	0	0	0	0	0	0	0	0
$S_1$	1	-1	1	0	0	-1	0	0	0	0	0	0	0	0
$A_2$	0	0	0	0	0	0	0	0	-1	1	-1	1	0	0
$T_2^1$	0	0	0	0	0	0	0	0	0	0	0	-1	1	0
$T_2^2$	0	0	0	0	0	0	1	-1	0	0	0	-1	1	0
$E_2^T$	0	0	0	0	0	0	0	0	0	0	0	0	-1	1
$E_2^D$	0	0	0	0	0	0	0	0	0	0	0	0	-1	1
$S_2$	0	0	0	0	0	0	0	0	1	-1	1	0	0	-1

Piège à jetons :  
notion un peu plus générale que P-invariant

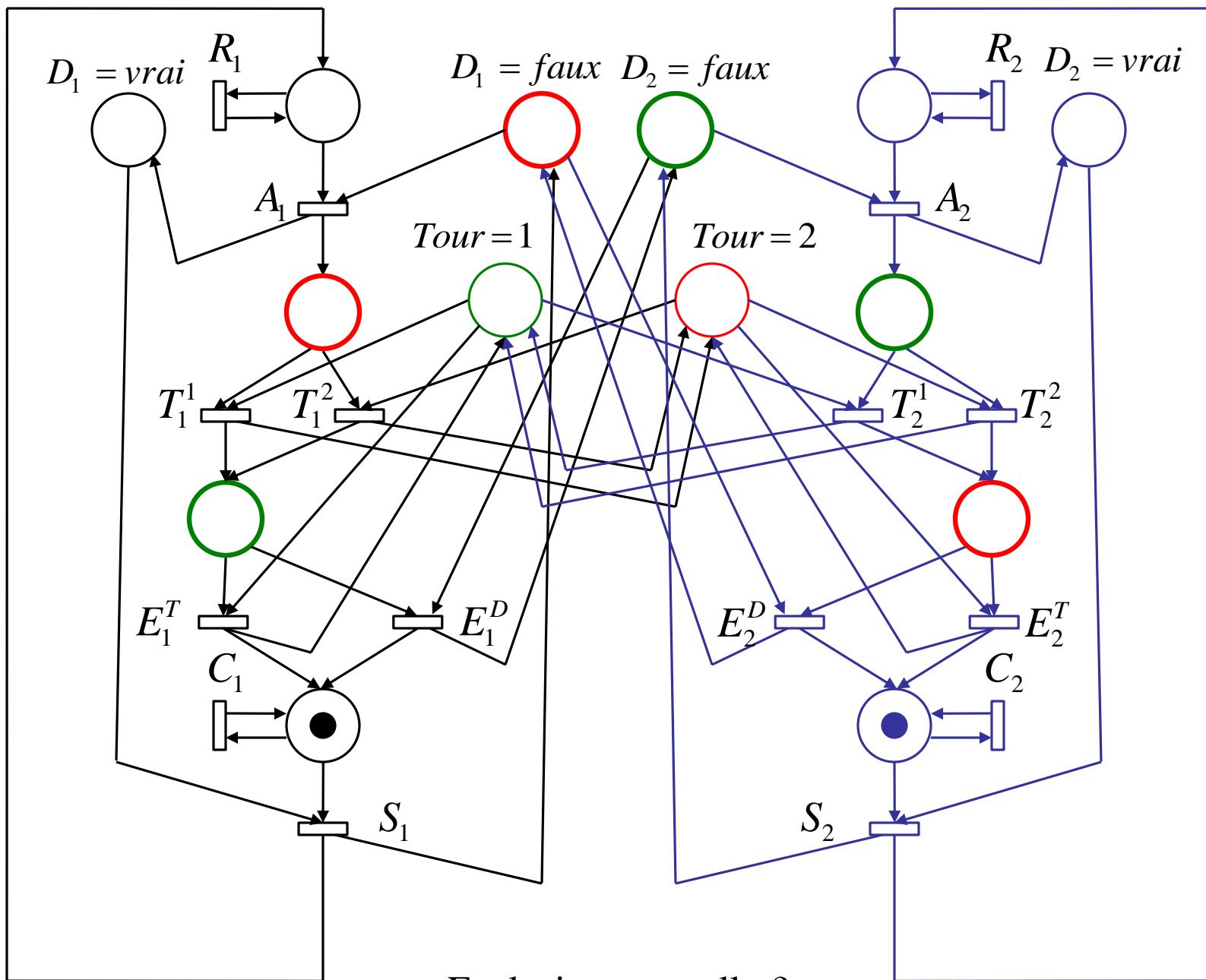


Deuxième piège à jetons



## Exclusion mutuelle

(revisitée avec la notion de piège à jetons)



Exclusion mutuelle ?

